

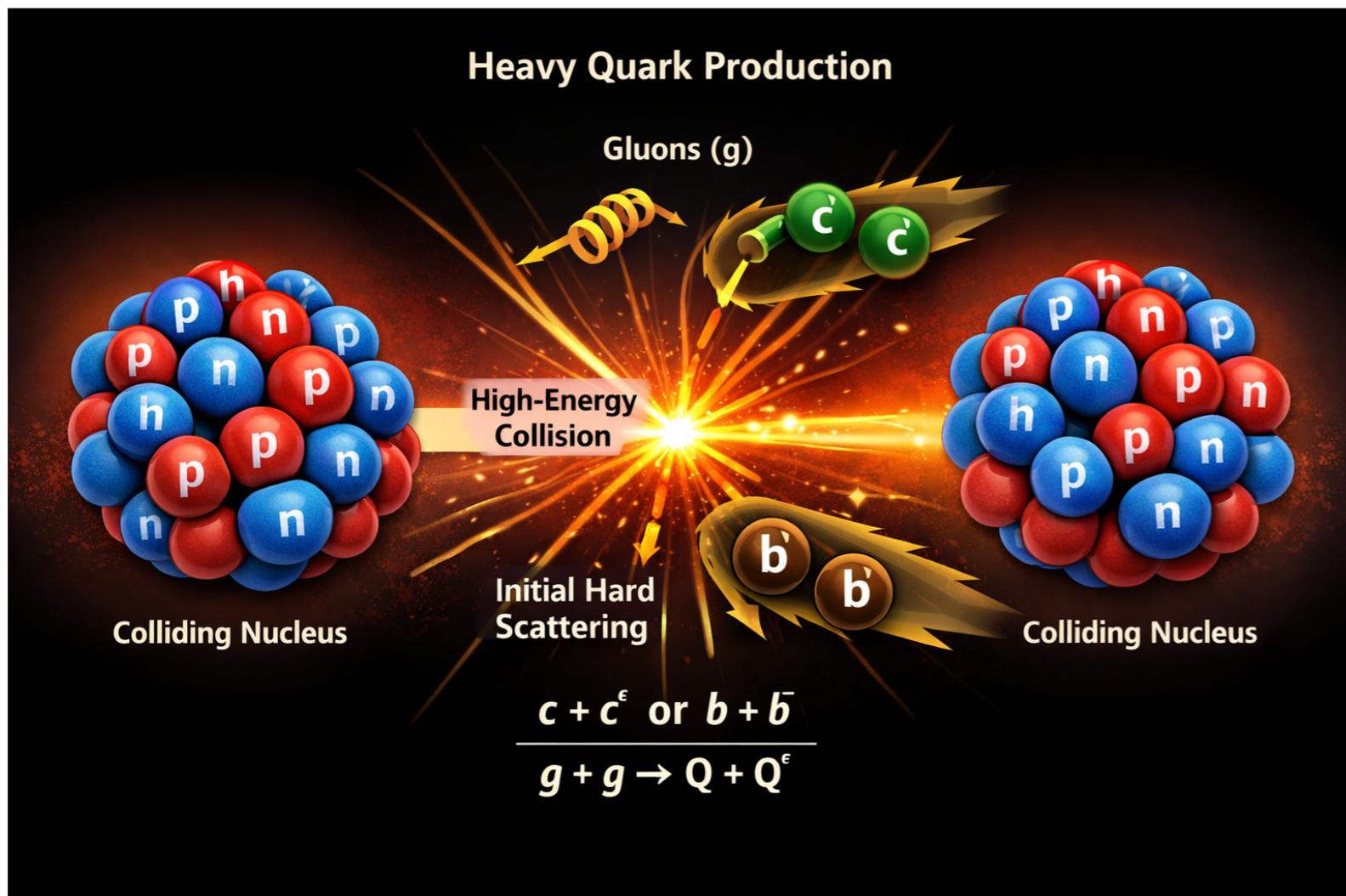
Heavy Flavour measurements

Nihar Ranjan Sahoo



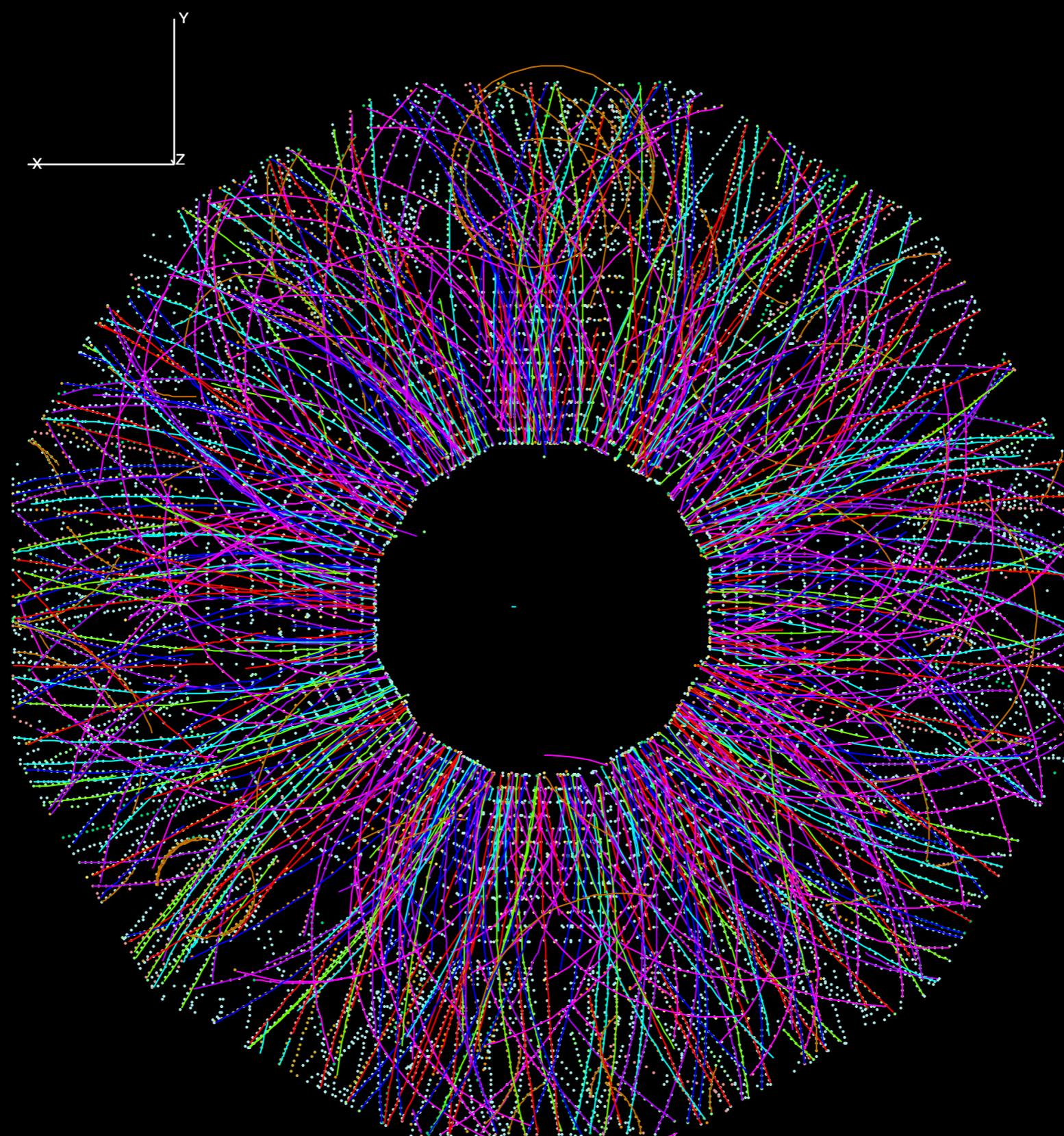
Why Heavy Flavour?

- Heavy quarks (c, b) produced in initial hard scattering
- Formation time $\sim 1/(2m_Q) \rightarrow$ earlier than QGP formation
- They propagate through the entire medium
- dead cone effect, mass hierarchy of energy loss, thermalization



Credit: ChatGPT

Let's discuss in collider experiments (like p+p and A+A collisions), how do we measure them?



Au+Au collision event display at STAR

Heavy flavour probes typically classified into:

- Open heavy flavour: $D^0, D^\pm, D_s, \Lambda_c, B$
- Quarkonia: $[J/\psi, \psi(2S)], [\Upsilon(1S, 2S, 3S)]$

	Particle	Quark Content	Mass (GeV/c ²)	Typical Decay Channel
Open heavy flavour	D^0	$c\bar{u}$	1.865	$D^0 \rightarrow K^- \pi^+$
	D^\pm	$cd\bar{}$	1.869	$D^+ \rightarrow K^- \pi^+ \pi^+$
	D_s^\pm	$c\bar{s}$	1.968	$D_s^+ \rightarrow \phi \pi^+$
	Λ_c^+	cud	2.286	$\Lambda_c^+ \rightarrow p K^- \pi^+$
	B^0	$b\bar{d}$	5.279	$B^0 \rightarrow J/\psi K^0$
	B^\pm	$b\bar{u}$	5.279	$B^+ \rightarrow J/\psi K^+$
Quarkonium	J/ψ	$c\bar{c}$	3.097	$J/\psi \rightarrow e^+ e^-, \mu^+ \mu^-$
	$\psi(2S)$	$c\bar{c}$	3.686	$\psi(2S) \rightarrow e^+ e^-, \mu^+ \mu^-$
	$\Upsilon(1S)$	$b\bar{b}$	9.460	$\Upsilon \rightarrow \mu^+ \mu^-$
	$\Upsilon(2S)$	$b\bar{b}$	10.023	$\Upsilon \rightarrow \mu^+ \mu^-$
	$\Upsilon(3S)$	$b\bar{b}$	10.355	$\Upsilon \rightarrow \mu^+ \mu^-$

Open heavy flavour

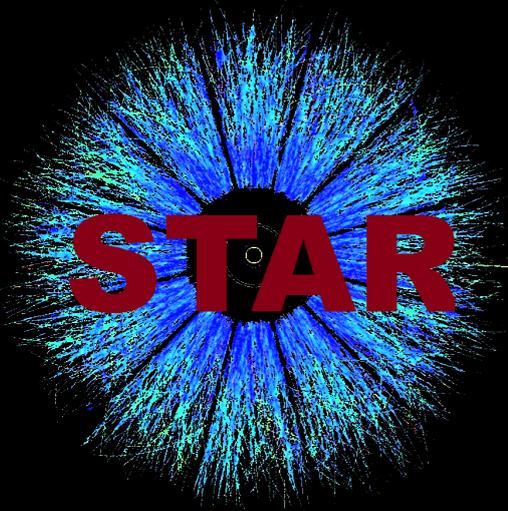
- Weak decays and long lifetime
- Decay length $c\tau \sim 100\text{--}500 \mu\text{m}$:
(requires secondary vertex reconstruction)

Quarkonium

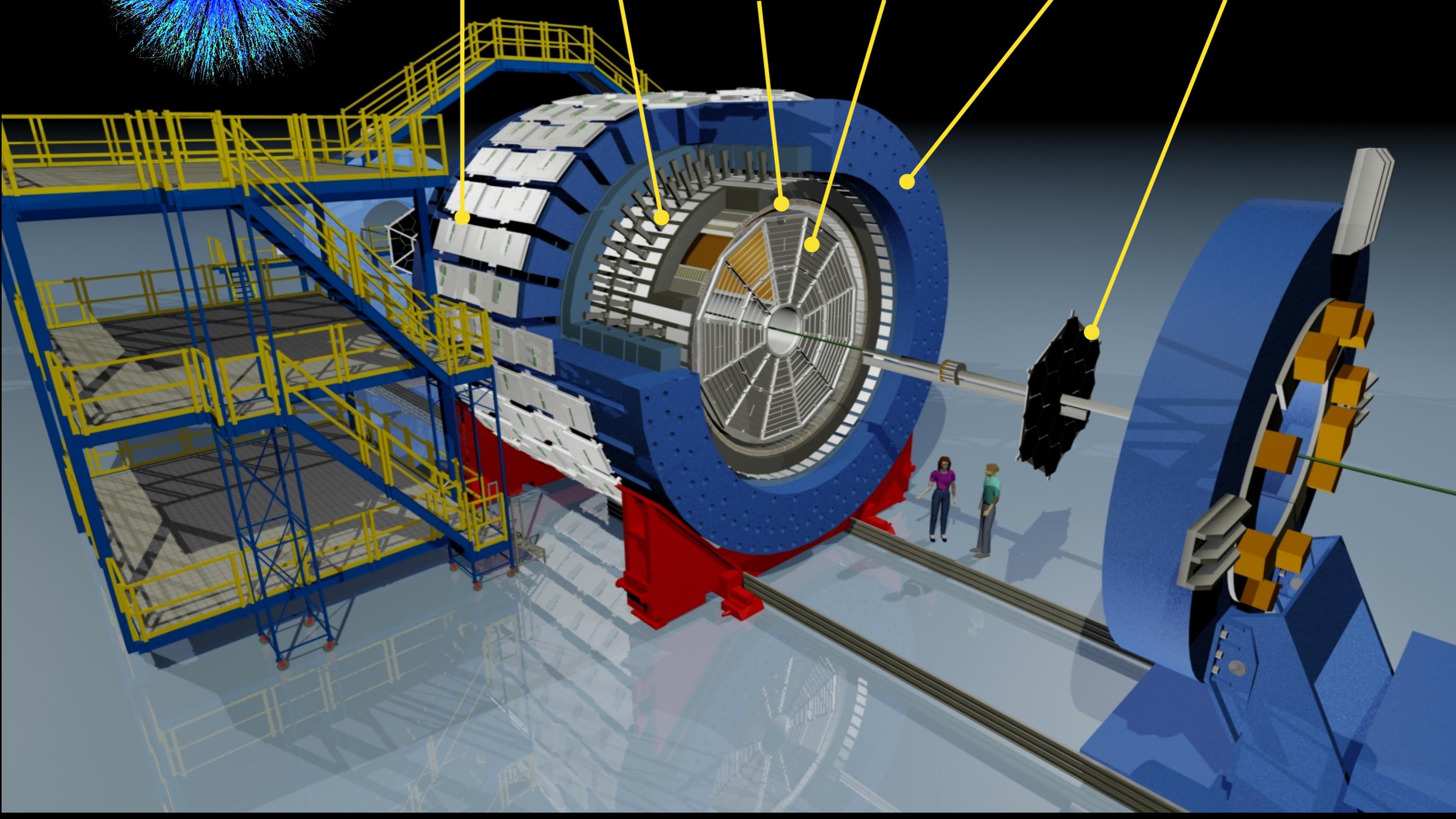
Very short lifetime

Measurements of open heavy-flavour in experiment

Solenoidal Tracker At RHIC (STAR) Experiment

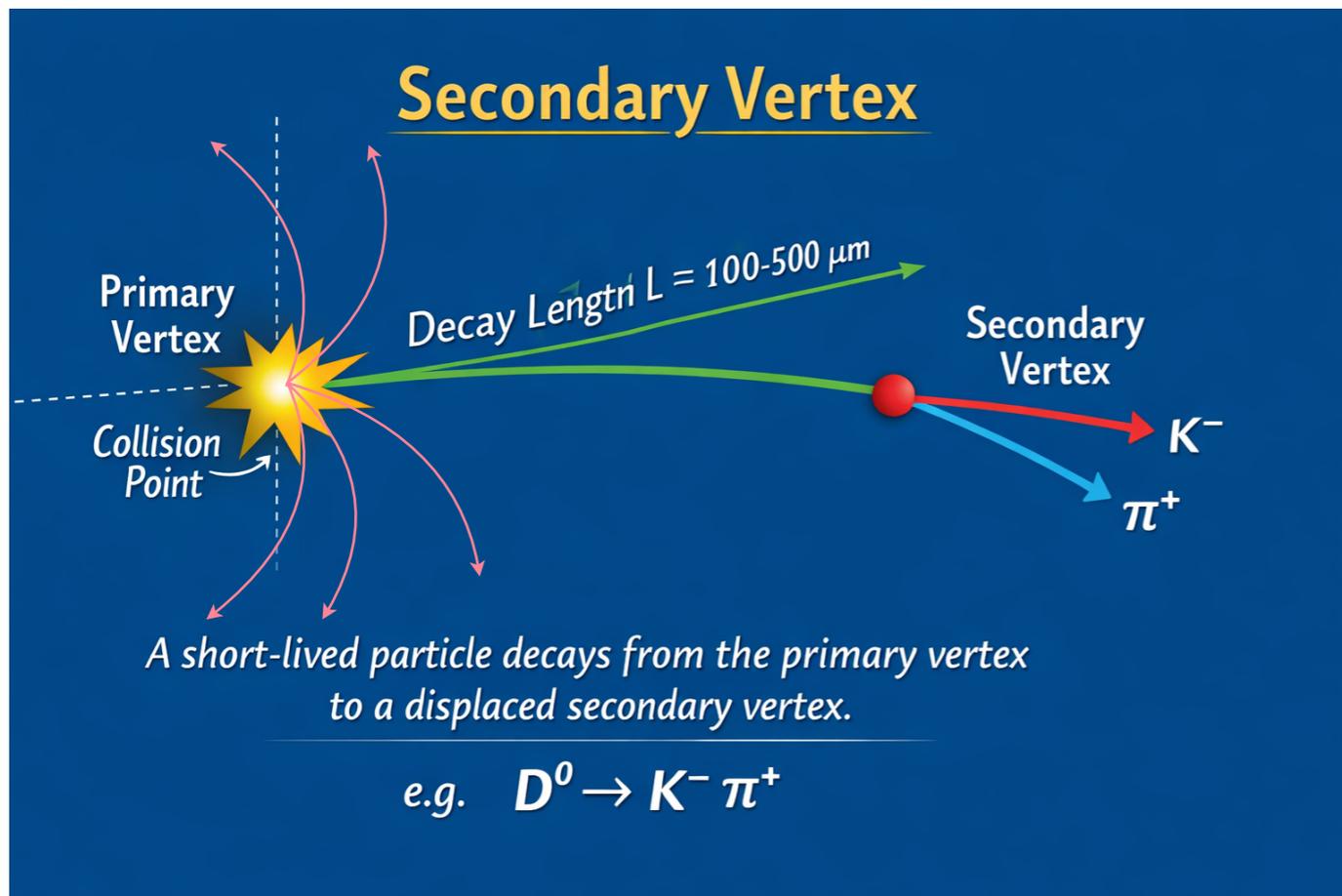


- MTD
- BEMC
- TOF
- TPC
- Magnet
- BBC

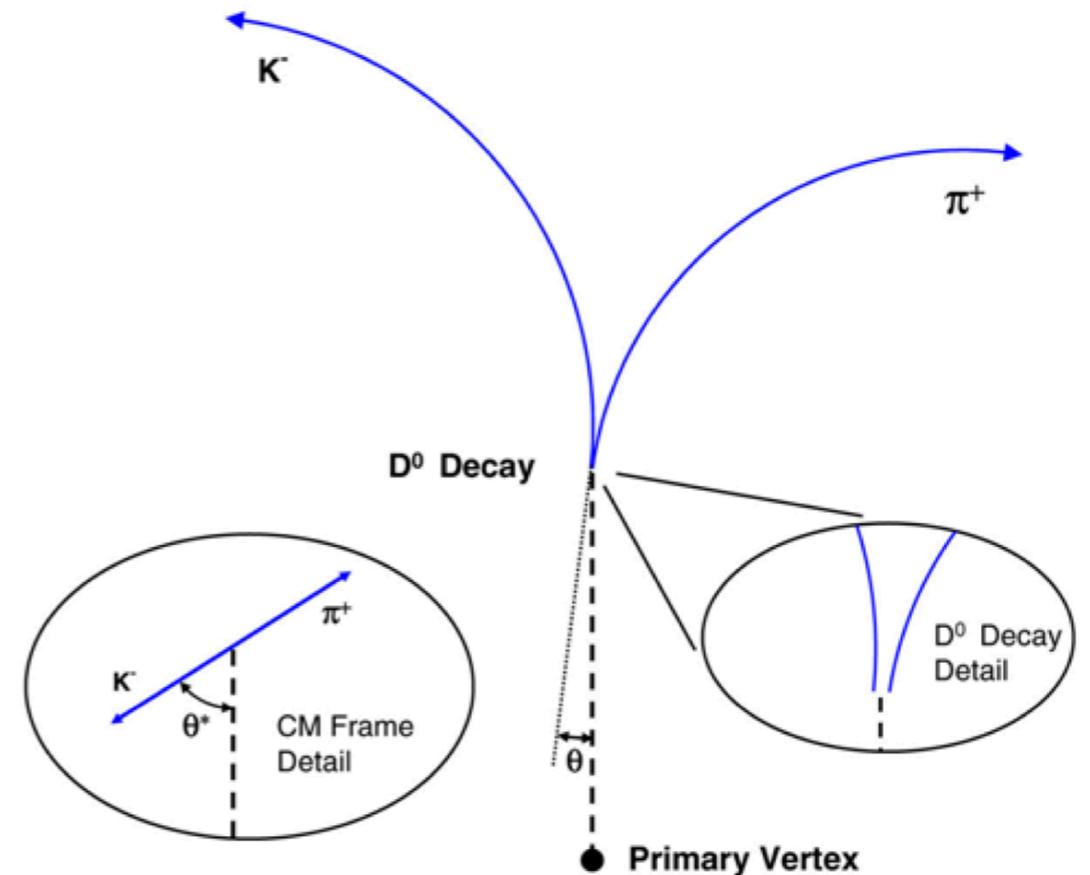


Open heavy flavour

Requires secondary vertex reconstruction: $c\tau \sim 100\text{--}500 \mu\text{m}$



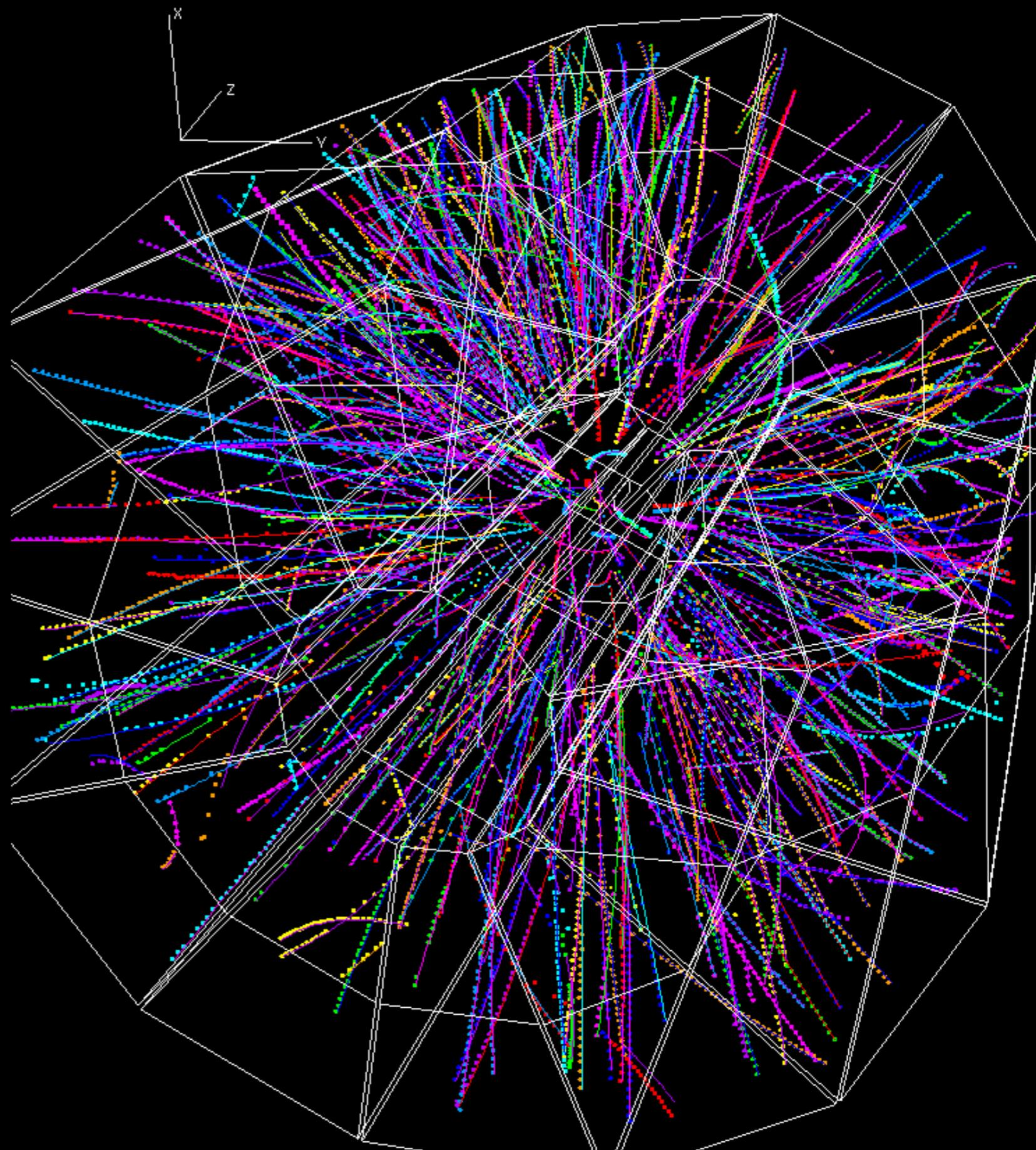
Credit: ChatGPT



STAR HFT Margeti's talk

STAR TPC hits and reconstructed tracks

(Longitudinal view)



STAR TPC hits and reconstructed tracks (Transverse view)

TPC inner field cage radius: ~ 50 cm

Weak decay:

$L \sim \gamma c\tau \sim O(100 \mu\text{m} - \text{few mm})$

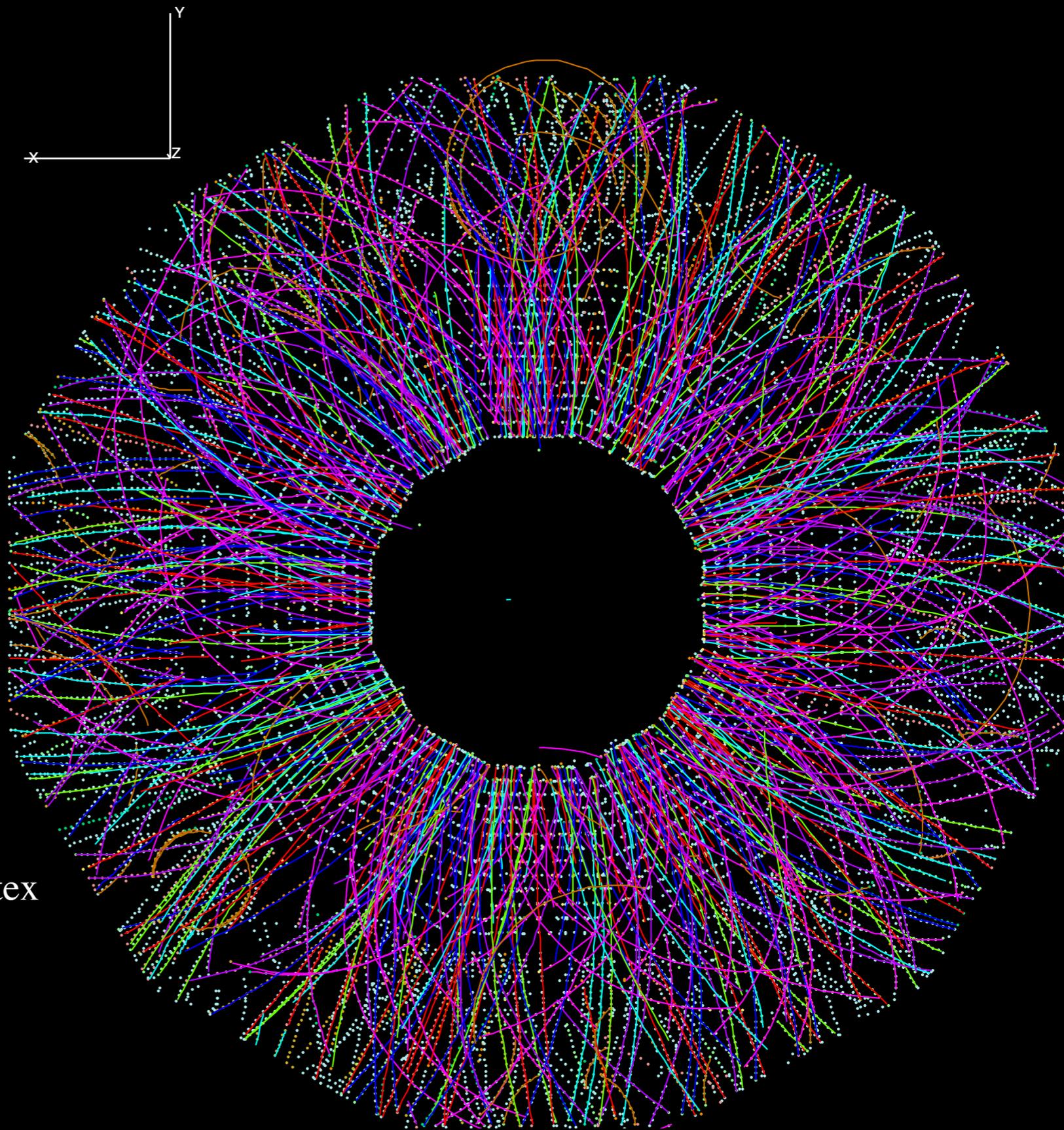
Decay happens **very close to the primary vertex**, typically **sub-mm to mm scale**.

TPC-only limitation:

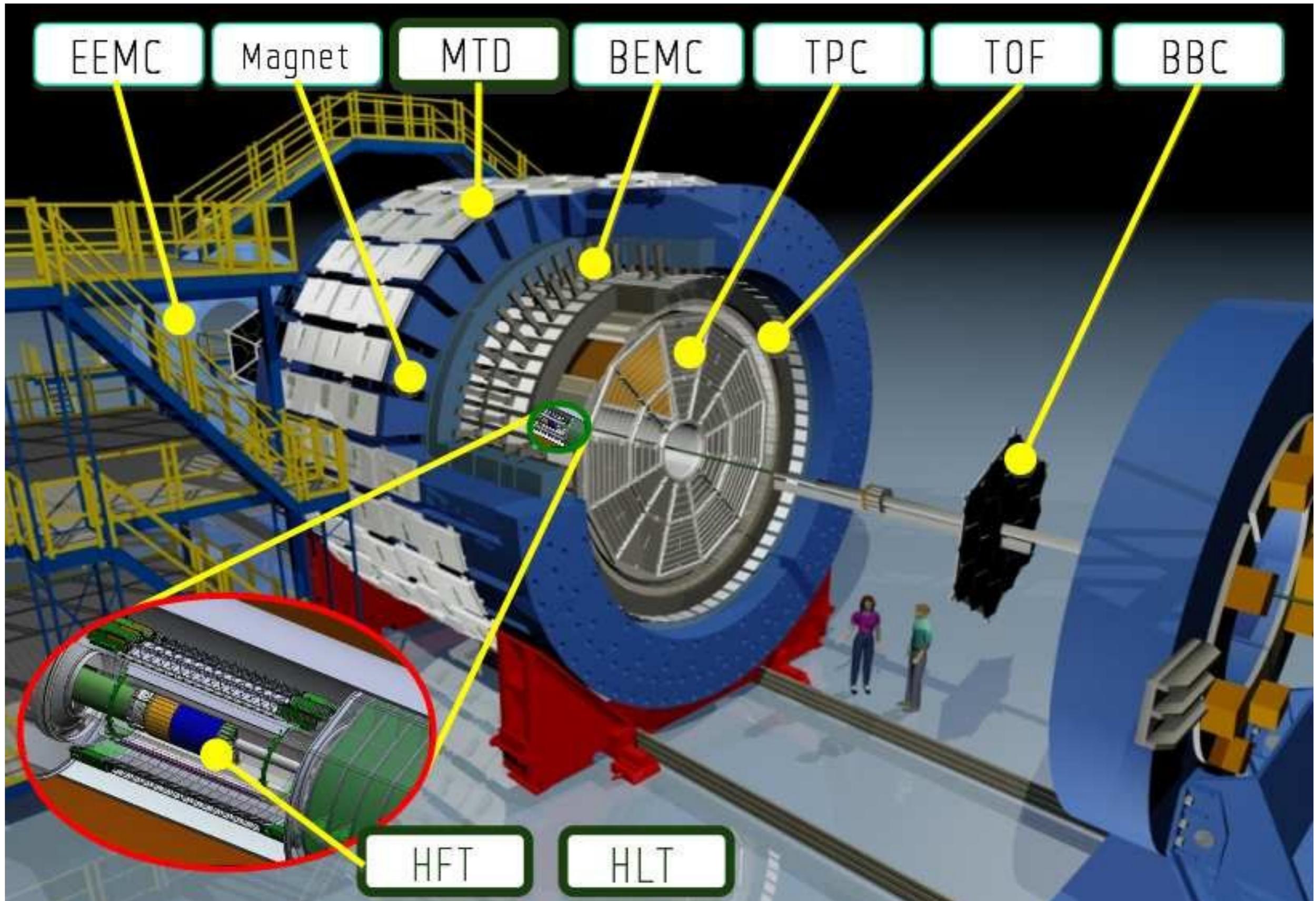
- Difficult to resolve secondary vertex
- Small displacement from primary vertex

Otherwise,

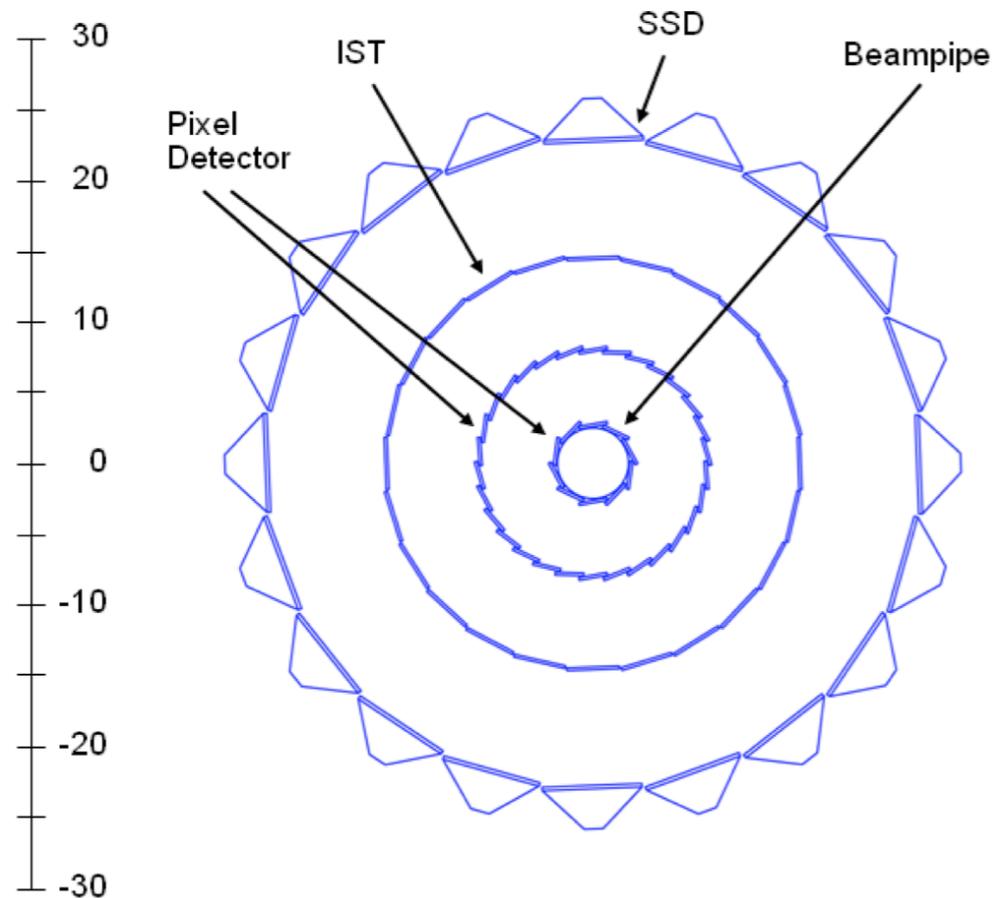
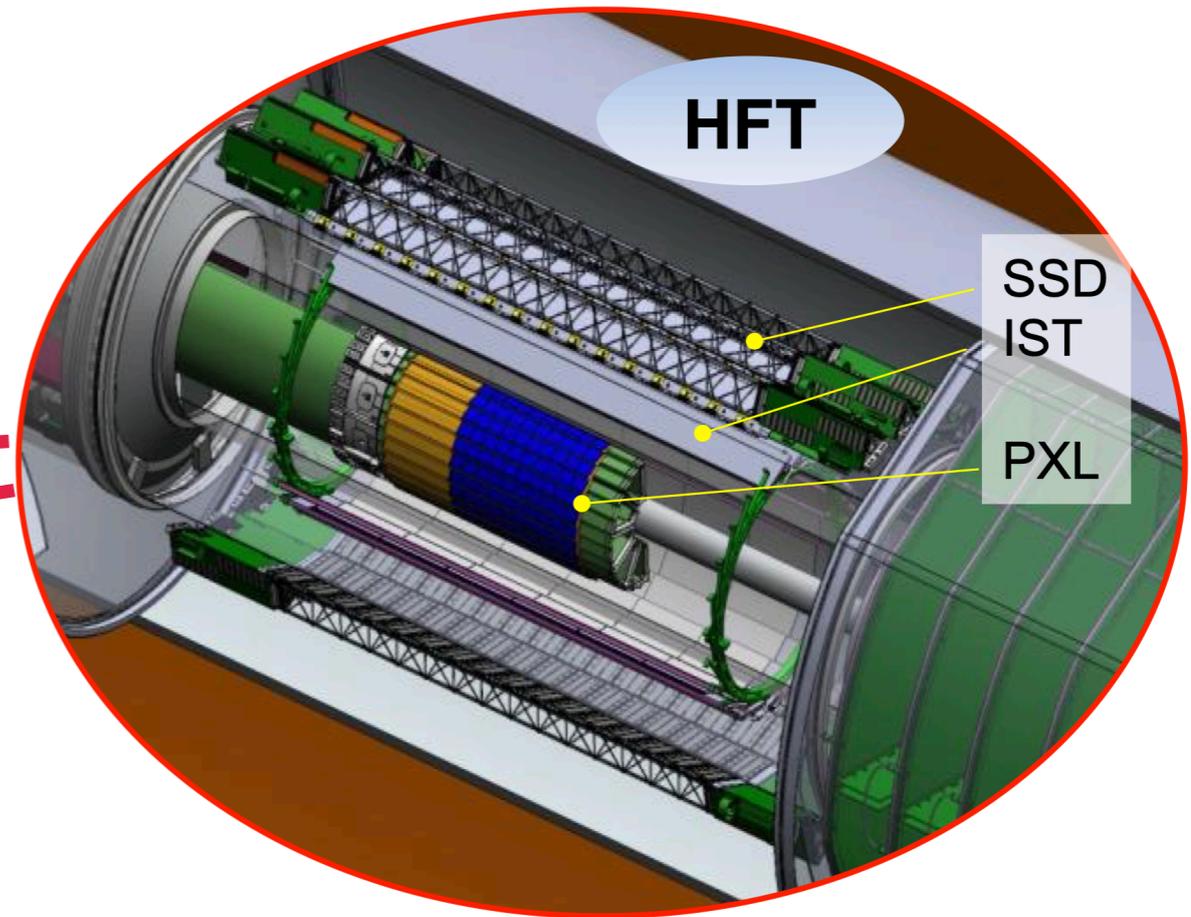
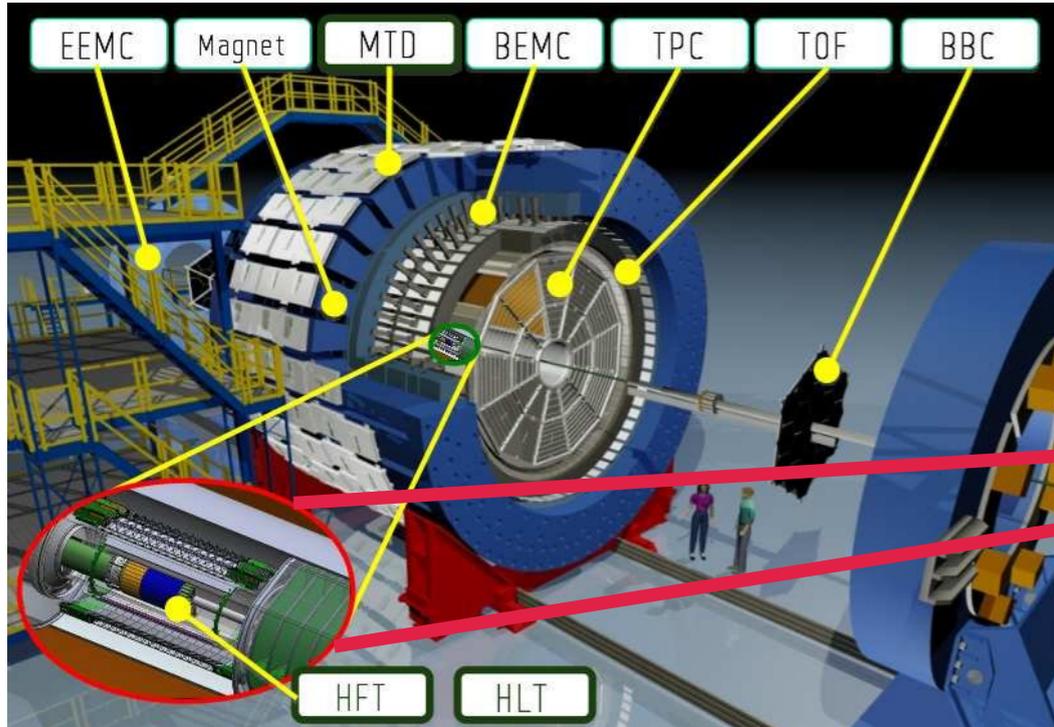
- Huge **combinatorial background**
- No clean D-meson reconstruction



STAR detector



Heavy-Flavour Tracker (HFT) at STAR



SSD: Silicon Strip Detector

IST: Intermediate Silicon Tracker

PXL: Pixel detector

To get good resolution of Distance of Closest Approach (DCA) of a track to the primary vertex

Reconstruction of Open Heavy Flavour (D mesons)

Let's take an example to measure: $D^0 \rightarrow K^- + \pi^+$

1. Track reconstruction

TPC + silicon detectors (Matching)

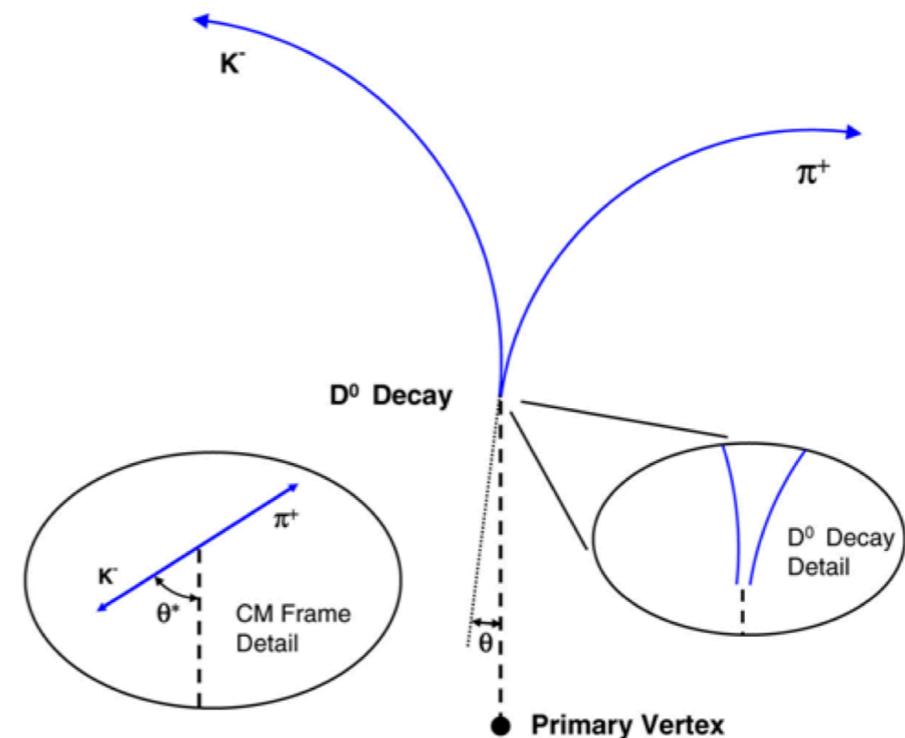
2. Particle ID

Identify K and π using: dE/dx and TOF

3. Secondary vertex reconstruction

Key variables:

- 1) decay length,
- 2) DCA between daughters,
- 3) pointing angle



For better signal to background ratio:

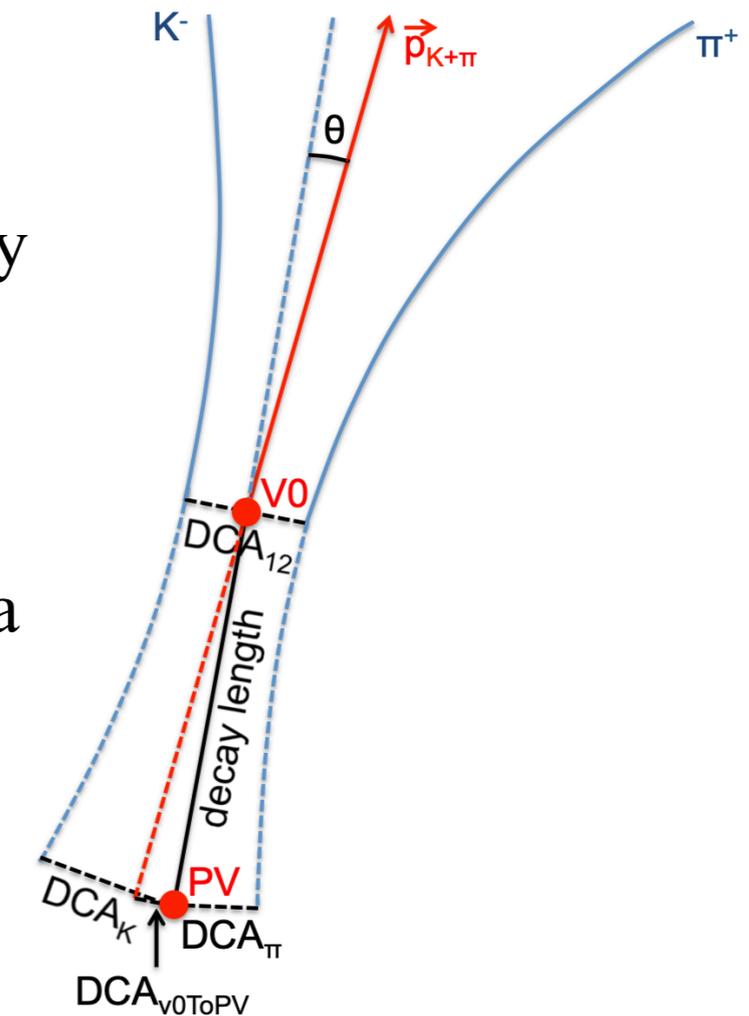
- Topological cuts
- Additional BDT/ML methods

$$M_{K\pi} = \sqrt{(E_K + E_\pi)^2 - (\vec{p}_K + \vec{p}_\pi)^2}$$

Reconstruction of Open Heavy Flavour (D mesons)

Signal vs. Background

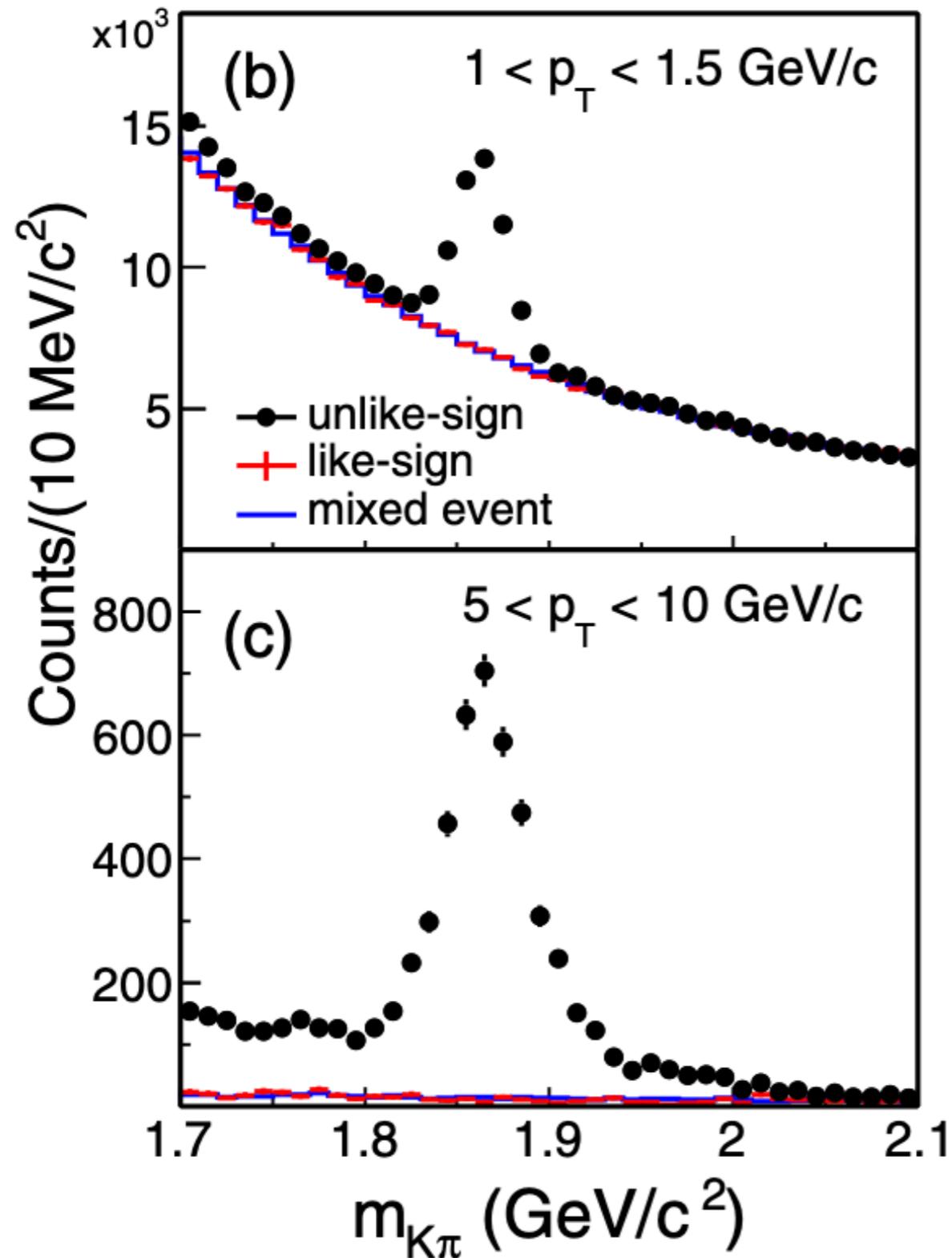
- Signal to background ratio can be significantly reduced by constraining measurement parameters (cuts)
For example: DCA of tracks, distance between primary to secondary vertex, etc.
- These cuts are optimised by Toolkit for Multivariate Data Analysis (TMVA) package (or using advanced ML techniques)



Detector correction

- Detection efficiency of hadrons and purity
- Misidentification and double counting
- Momentum resolution correction
- Different correction depending upon observables

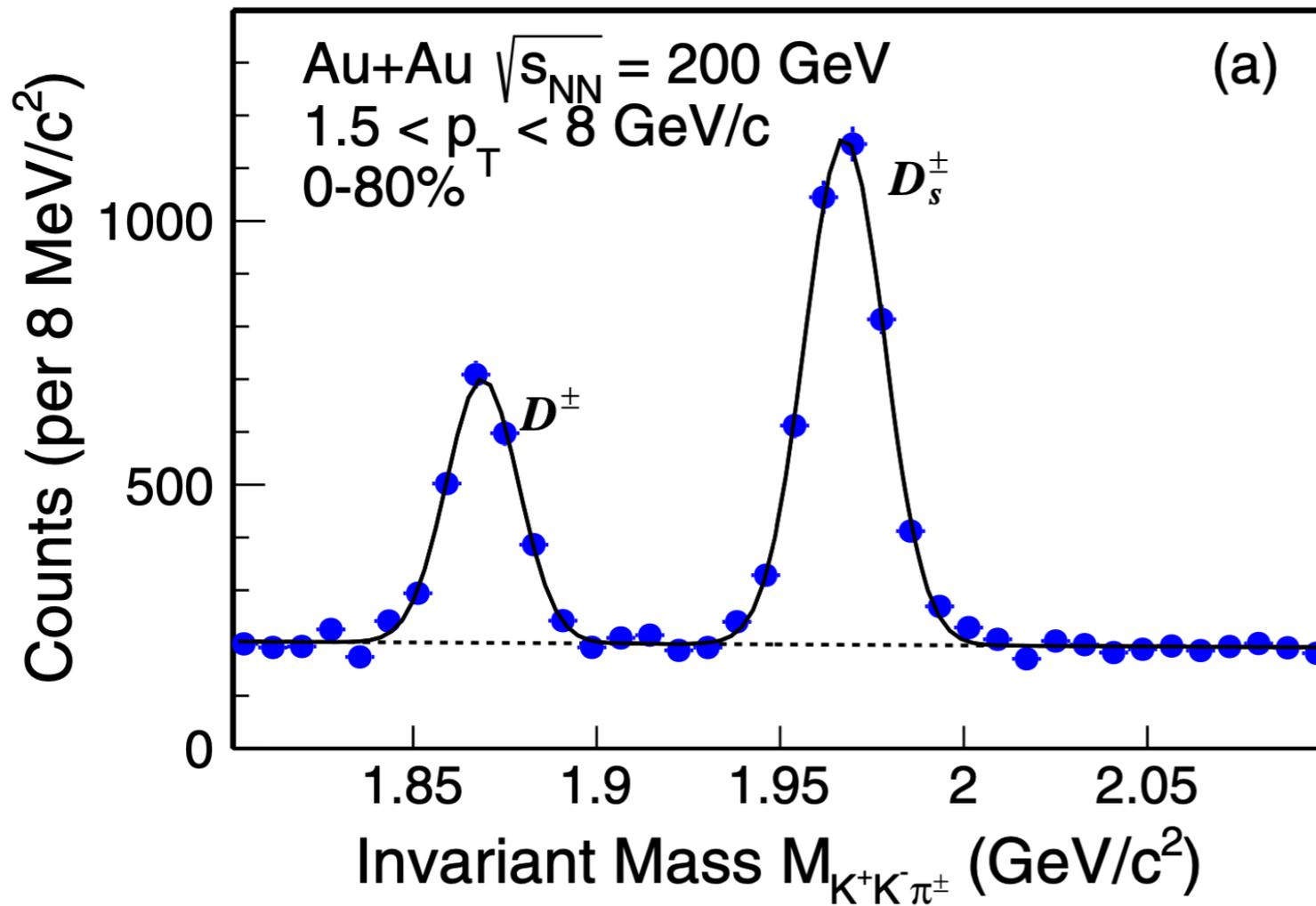
D⁰ invariant mass using STAR HFT detector



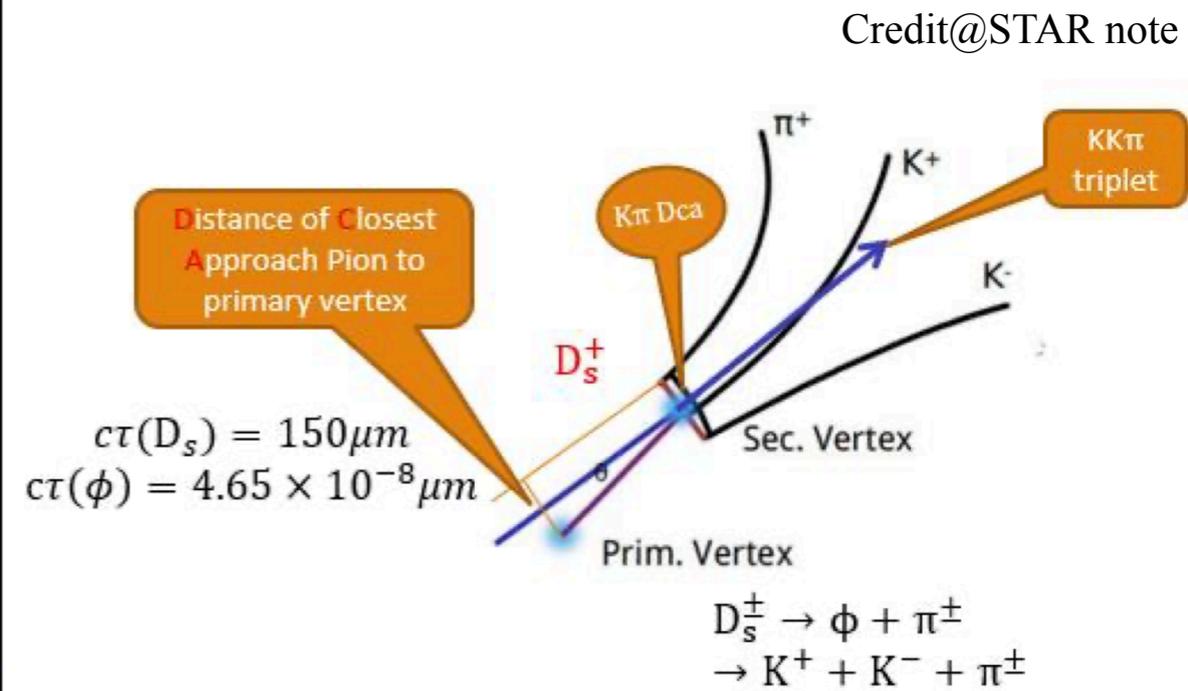
STAR: PRL 118, 212301 (2017)

$$M_{K\pi} = \sqrt{(E_K + E_\pi)^2 - (\vec{p}_K + \vec{p}_\pi)^2}$$

D^\pm and D_s^\pm invariant mass using STAR HFT detector



STAR: PRL 127, 092301 (2021)



Measurements of Quarkonia in experiment

Reconstruction of Quarkonia

Quarkonia Example:

- J/ψ , $\psi(2S)$
- $\Upsilon(1S)$
- $\Upsilon(2S)$

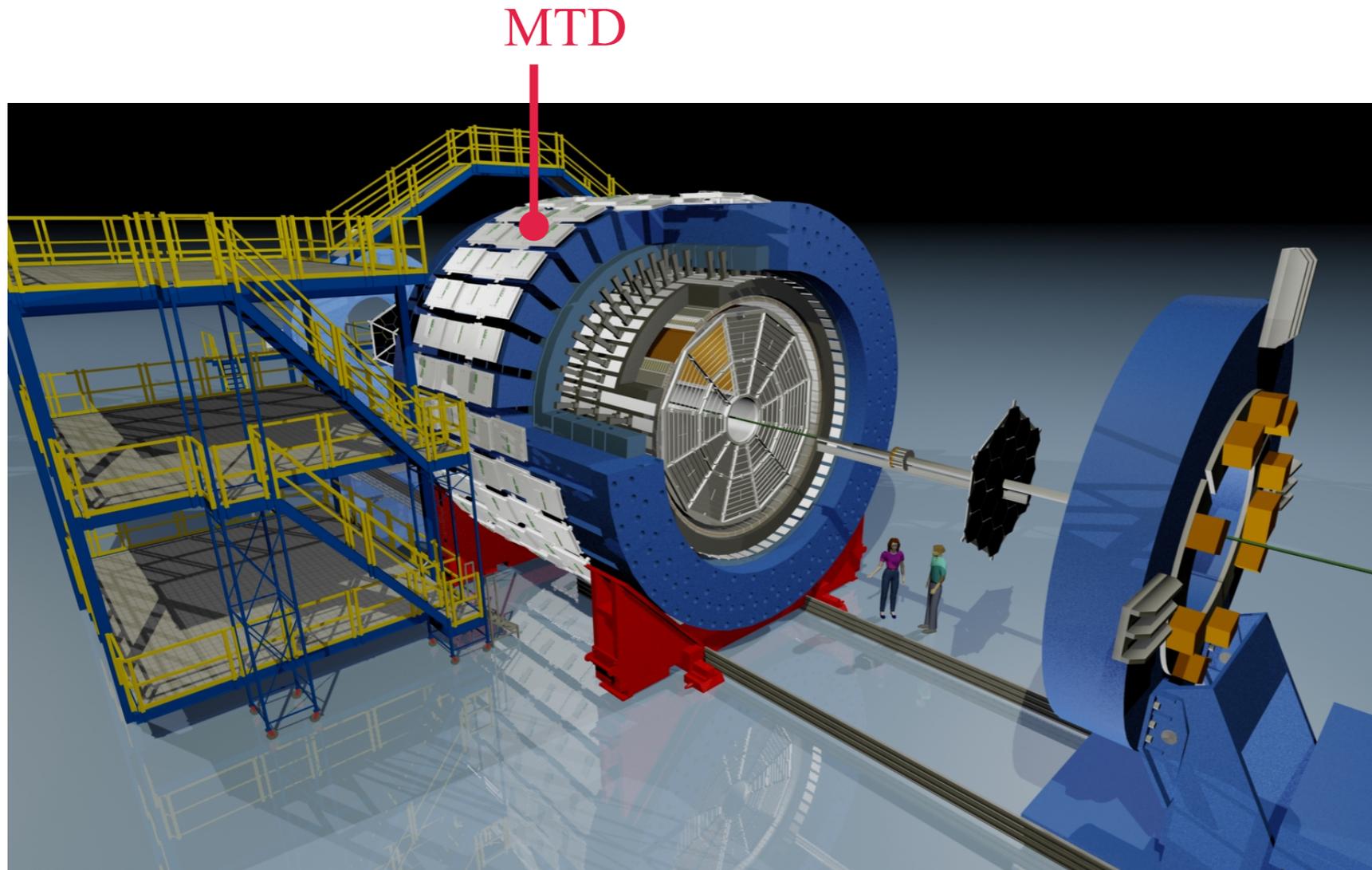
$$J/\psi \rightarrow e^+e^-$$

$$J/\psi \rightarrow \mu^+\mu^-$$

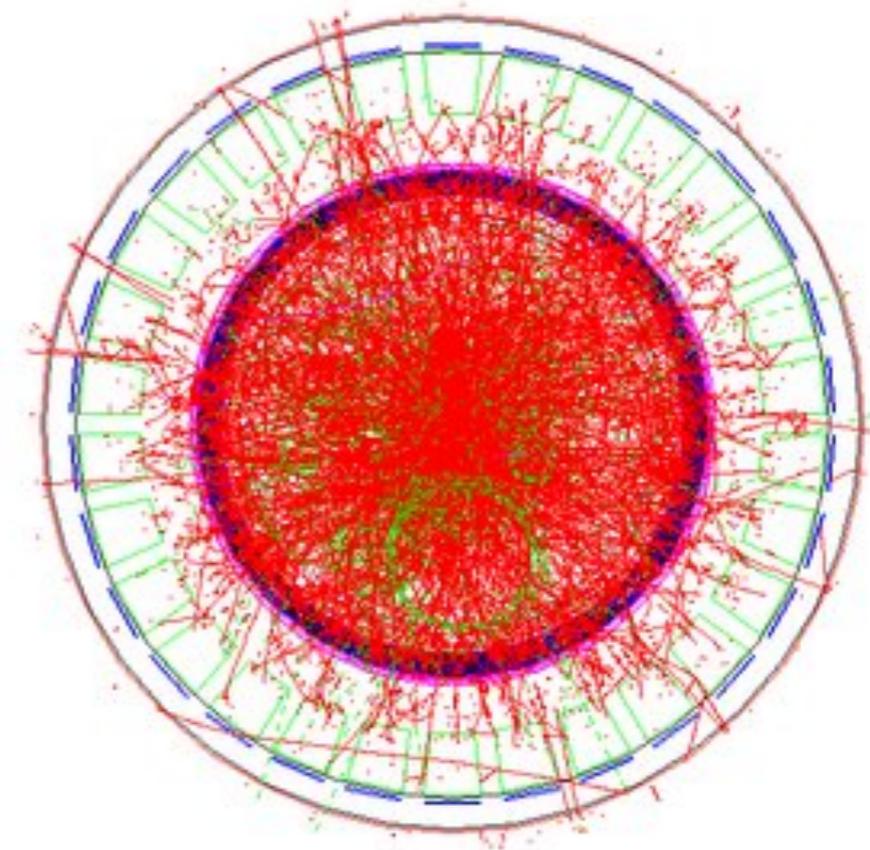
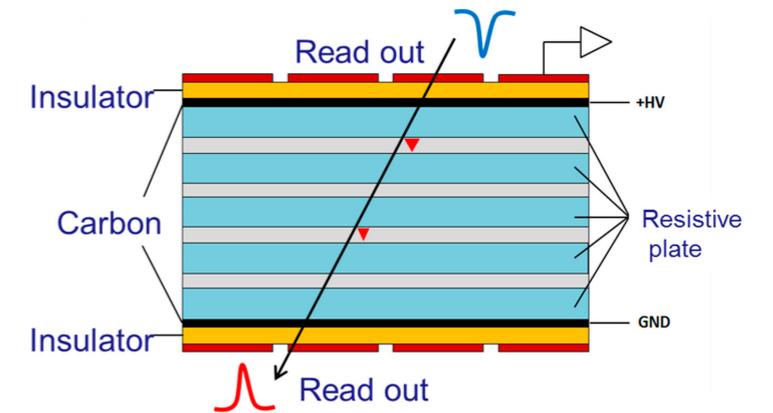
Technique:

1. Identify leptons (μ , e)
2. Opposite-sign pair and Invariant mass peak

Detection on dilepton ($\mu^+\mu^-$) at STAR



MTD is Multi-gap Resistive Plate Chambers

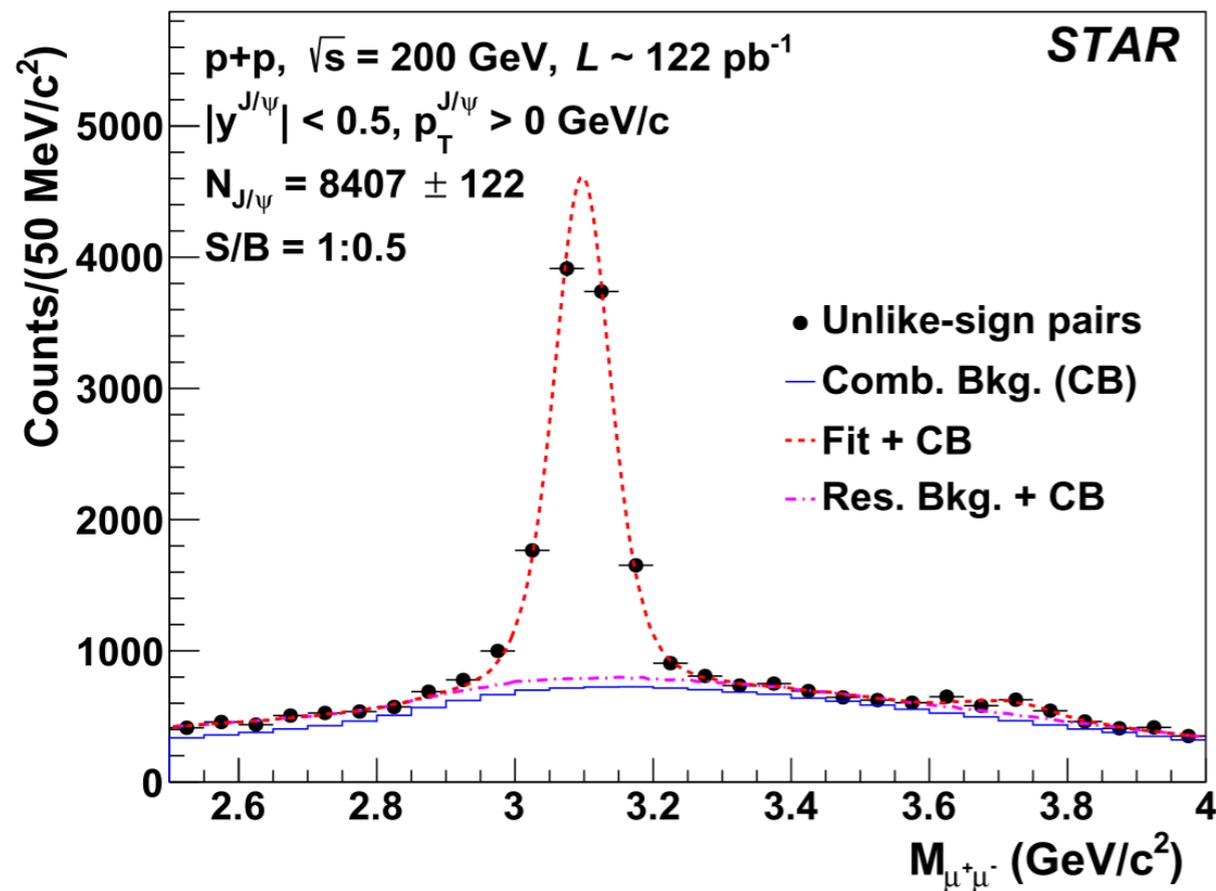


$J/\psi \rightarrow \mu^+\mu^-$ measurements at STAR

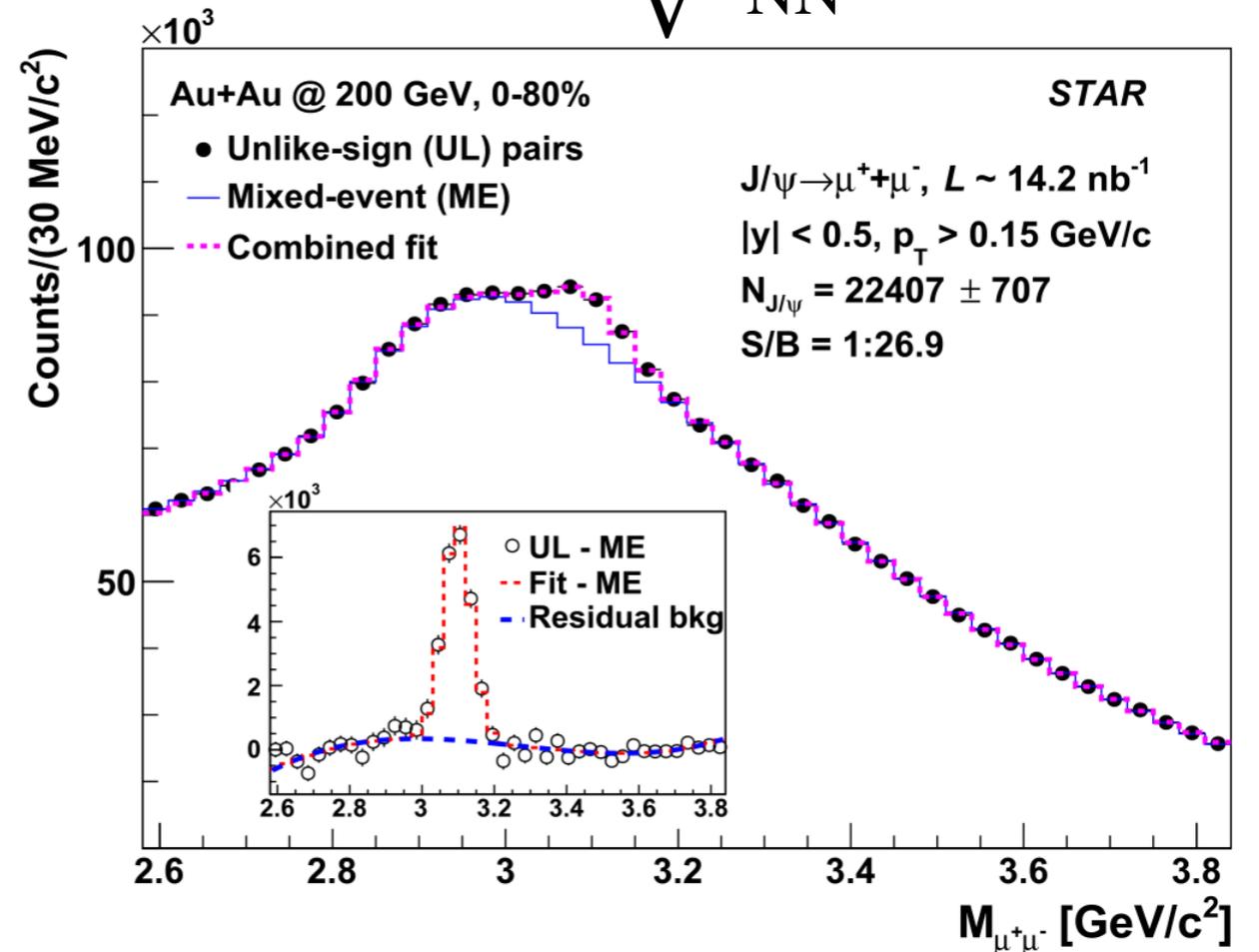
STAR: PLB 825 (2022) 136865

PLB 797 (2019) 134917

pp $\sqrt{s} = 200$ GeV



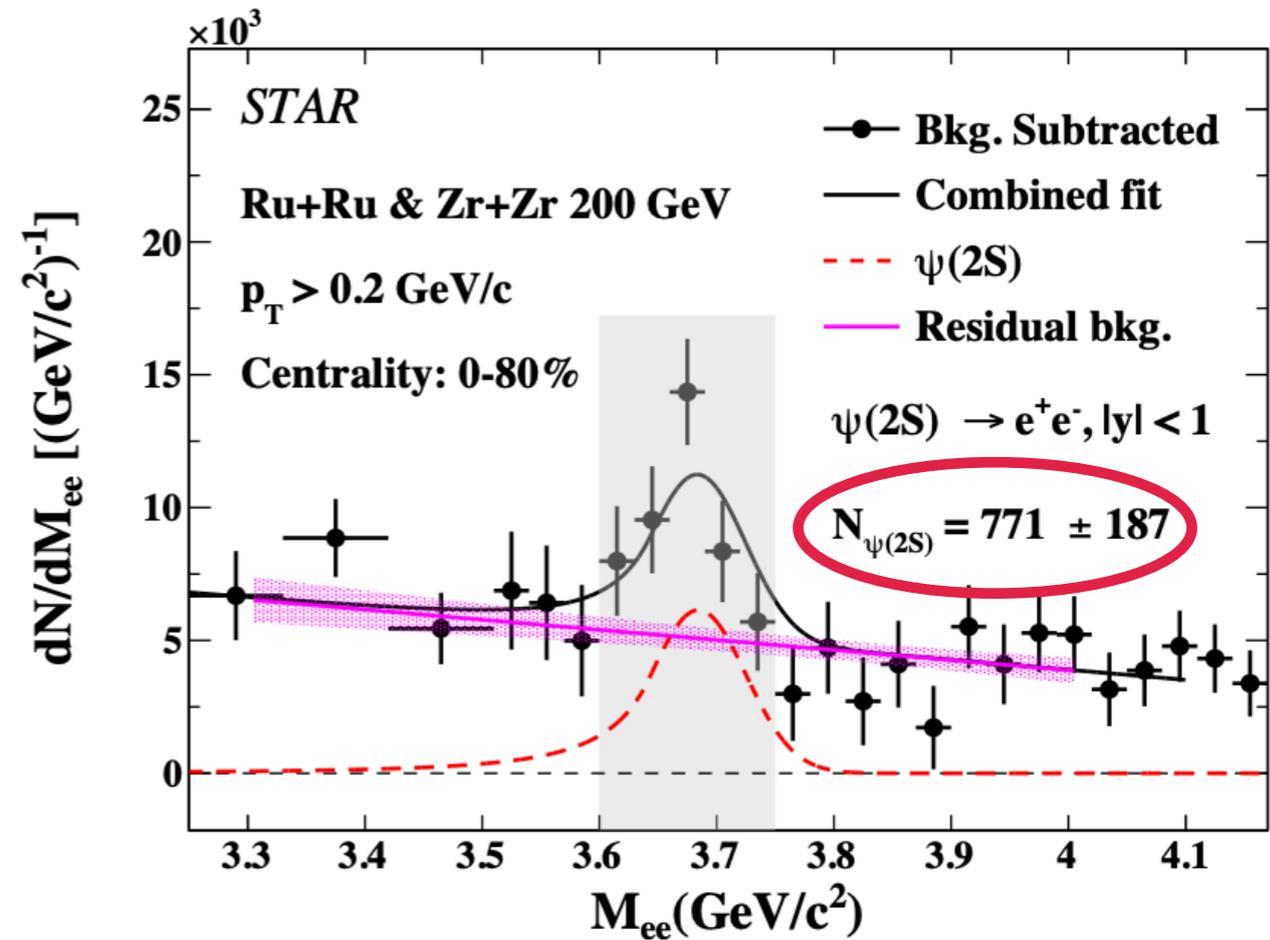
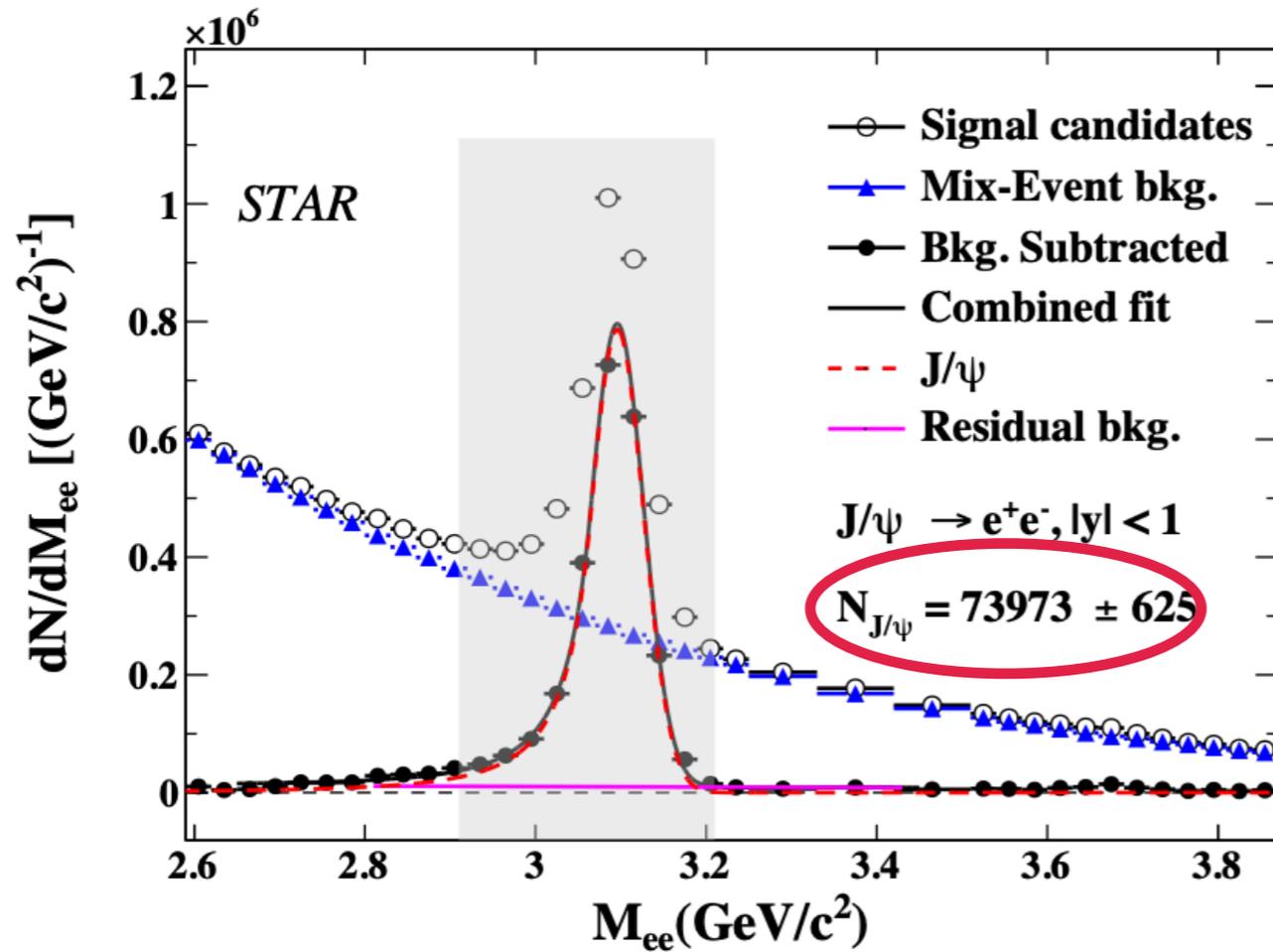
Au+Au $\sqrt{s_{NN}} = 200$ GeV



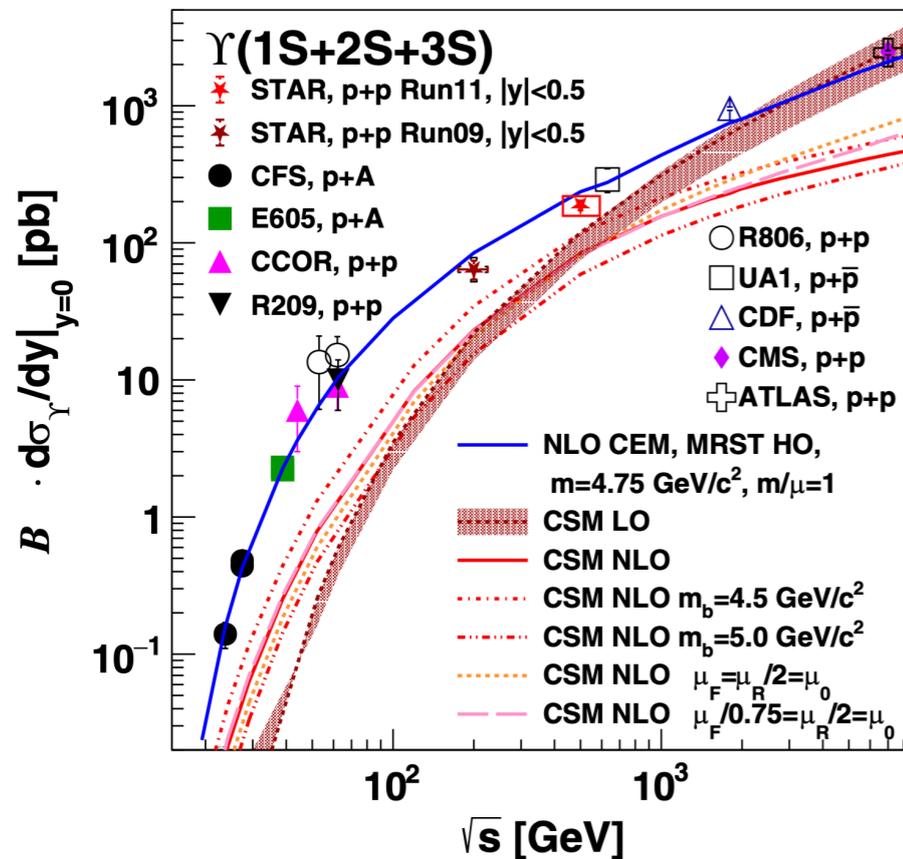
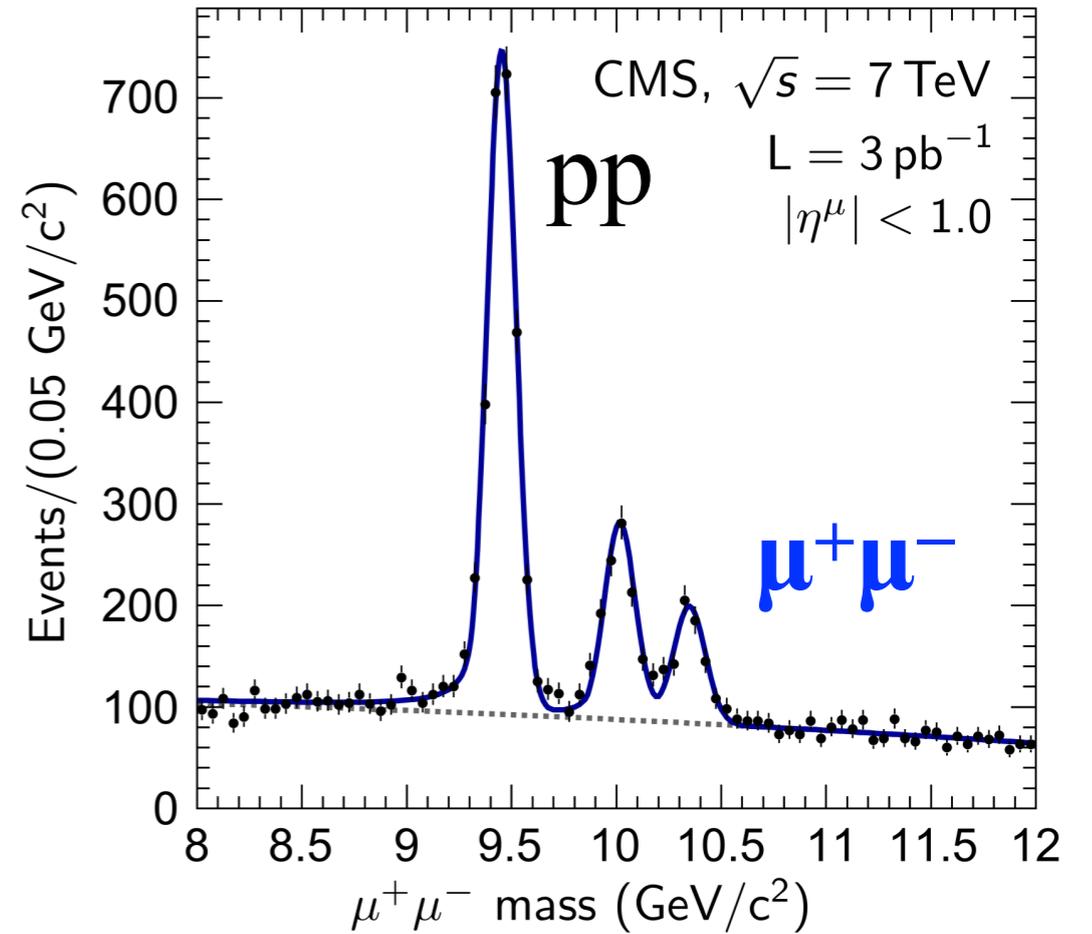
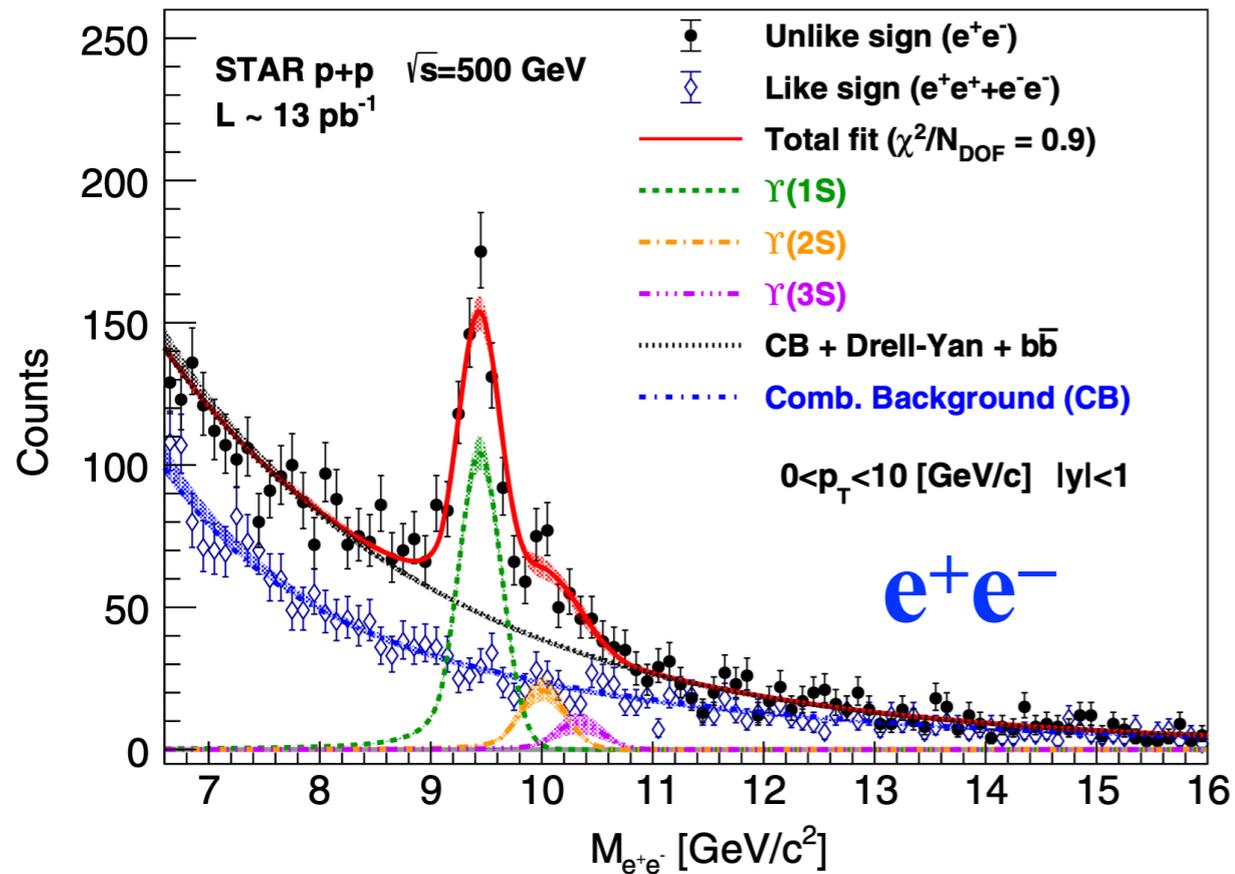
Compare the background contributions between pp and Au+Au

J/ψ, ψ(2S) → e⁺e⁻ measurements at STAR

STAR: arXiv: 2509.12842 [Accepted by PRL]



$\Upsilon(1S, 2S, 3S)$ measurements



Integrated cross-section of $\Upsilon(1S + 2S + 3S)$

Observables related to HF measurements

Relation Between Cross Section and Number of Events

Number of interactions, $N \propto \sigma$

$$N = L \sigma$$

L = Luminosity

(how many particles pass
per area per time)

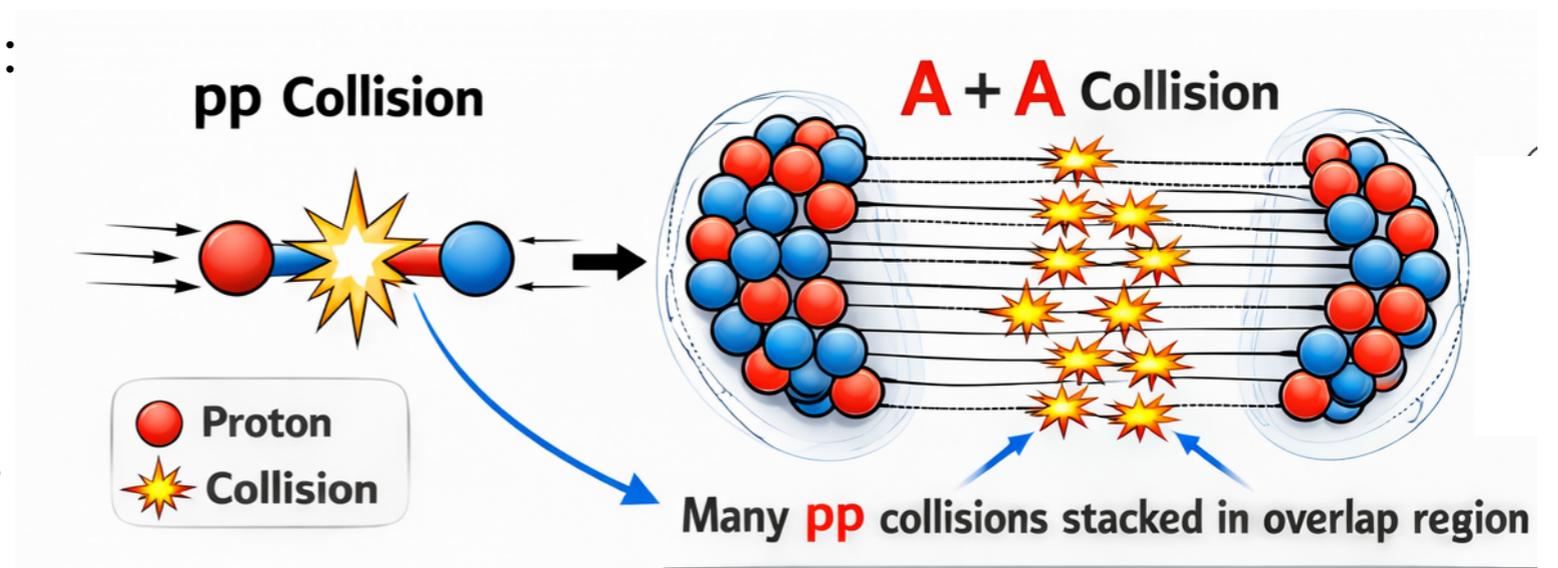
σ = Cross section

Applying this in heavy-ion collisions:

$$N_{\text{coll}} = T_{\text{AA}} \times \sigma_{pp}^{\text{inel}}$$

N_{coll} = number of binary p+p collisions

T_{AA} = nuclear overlap function



L → machine luminosity

T_{AA} → event-wise effective luminosity (encodes pure geometry, overlap of nuclei)

Nuclear modification factor (R_{AA})

Ansatz:

Hard processes in A+A collisions are expected to scale with N_{coll} , assuming independent p+p collisions—*binary collision scaling*



$$(dN_{AA}/dp_T) = N_{\text{coll}} (dN_{pp}/dp_T)$$

$$(dN_{AA}/dp_T) = T_{AA} (d\sigma_{pp}/dp_T)$$

(Validated in $R_{AA}^{\gamma, Z, W^\pm} \approx 1$ measurements)

p+p gives us the vacuum reference

$$R_{AA}(p_T) = \frac{1}{N_{\text{coll}}} \frac{dN_{AA}/dp_T}{dN_{pp}/dp_T}$$

$$R_{AA}(p_T) = \frac{1}{T_{AA}} \frac{dN_{AA}/dp_T}{d\sigma_{pp}/dp_T}$$

dN_{AA}/dp_T = particle yield in A+A collisions

dN_{pp}/dp_T = particle yield in p+p collisions

$d\sigma_{pp}/dp_T$ = cross-section in p+p collisions

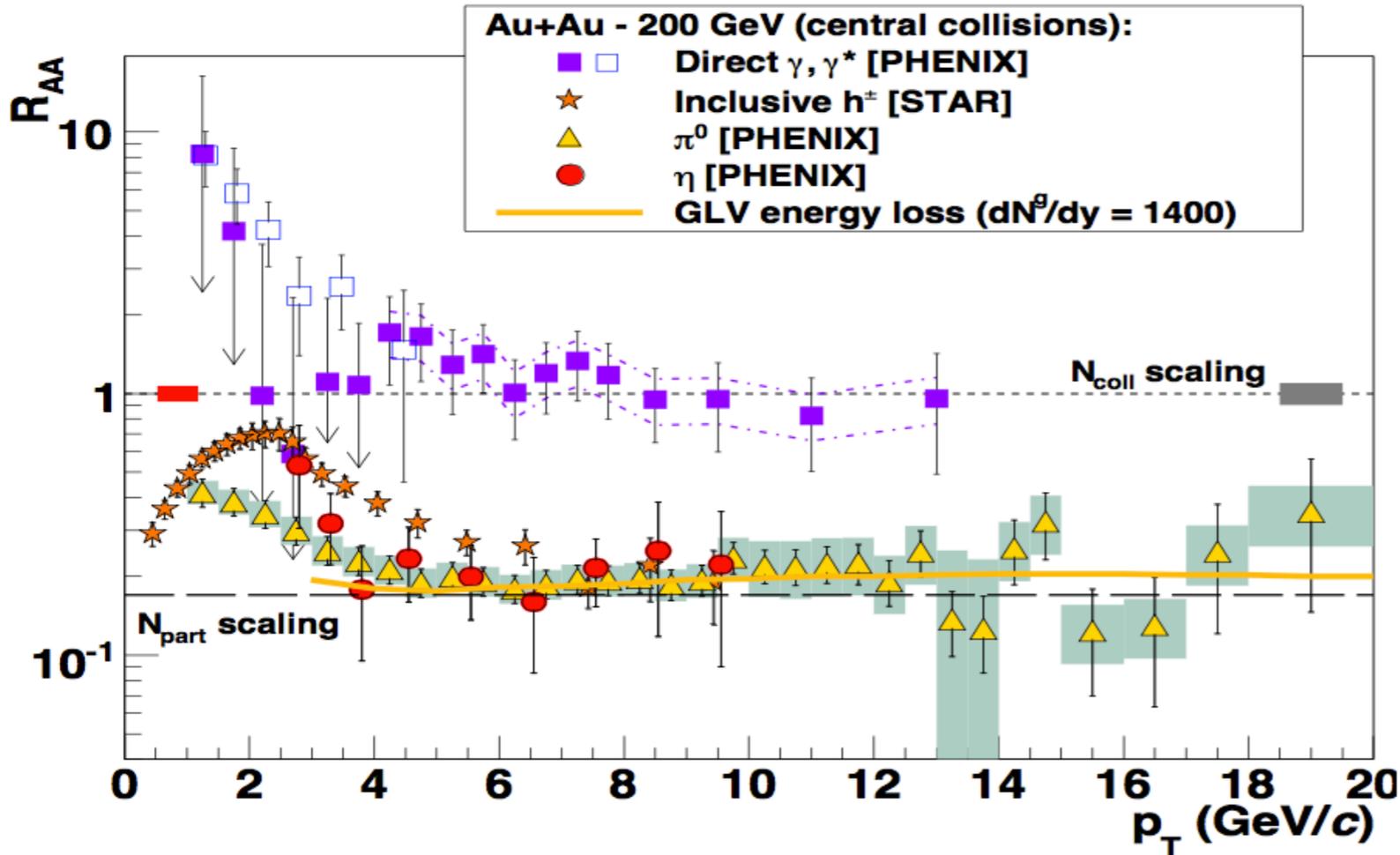
$R_{AA}(p_T) = 1$ No medium effect

< 1 Energy loss in medium (QGP)

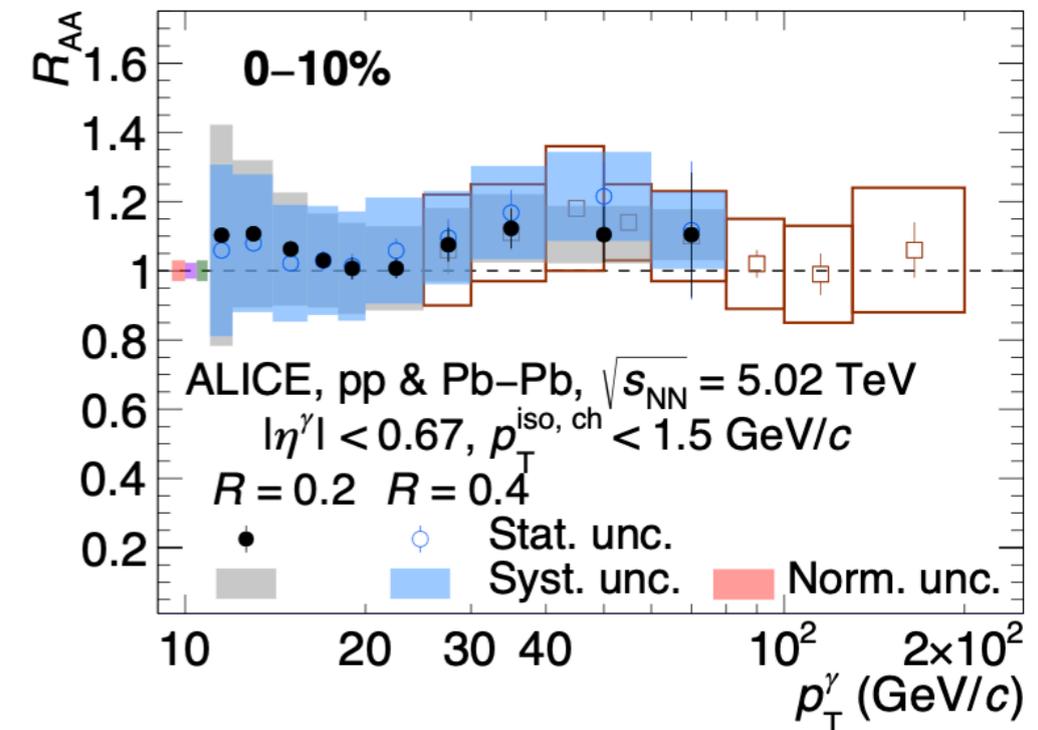
> 1 Cold Nuclear Matter (CNM) effect

Nuclear modification factor (R_{AA})

PHENIX: PRC 75 (2007) 024909

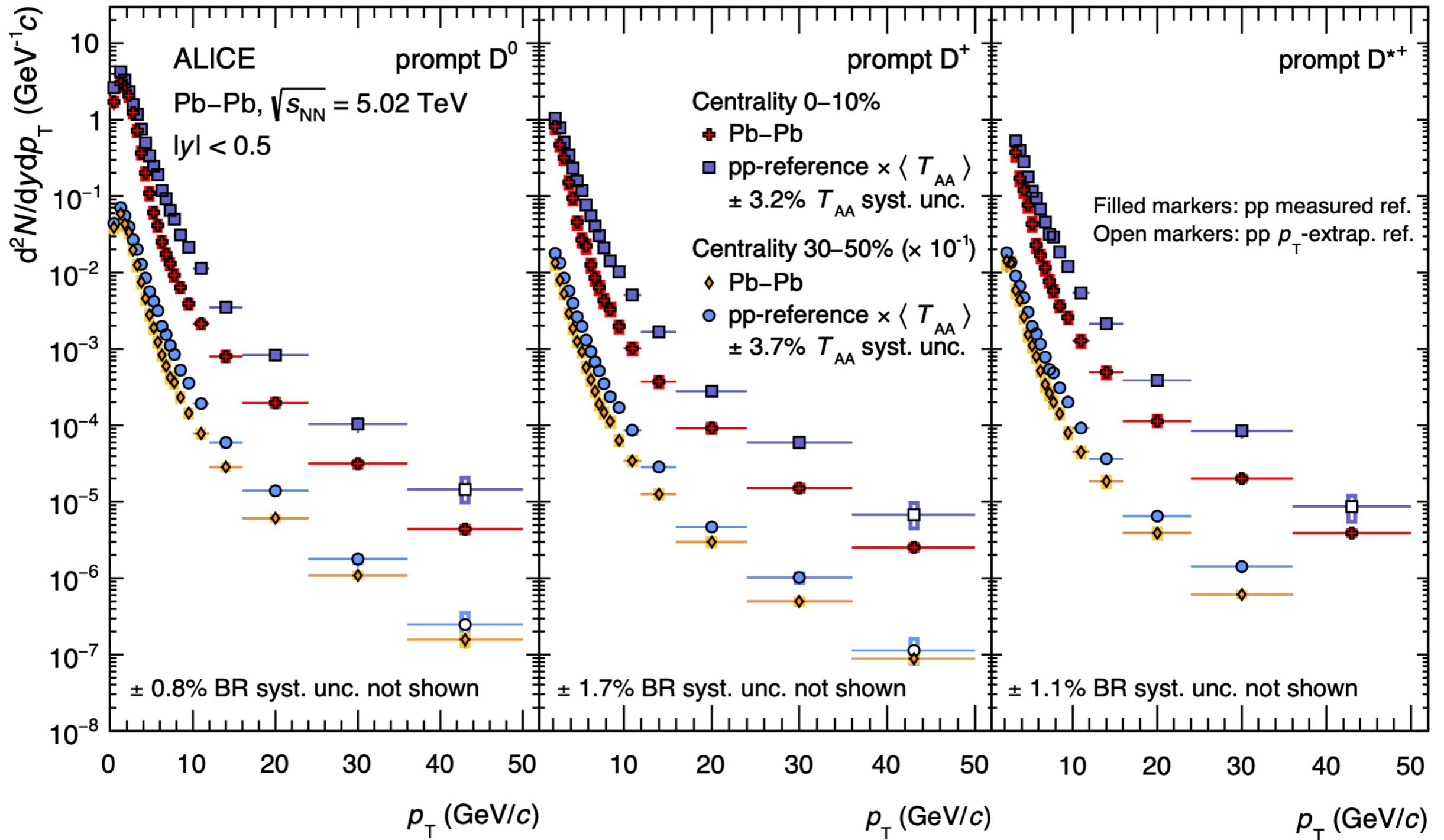


ALICE: EPJC (2025) 85

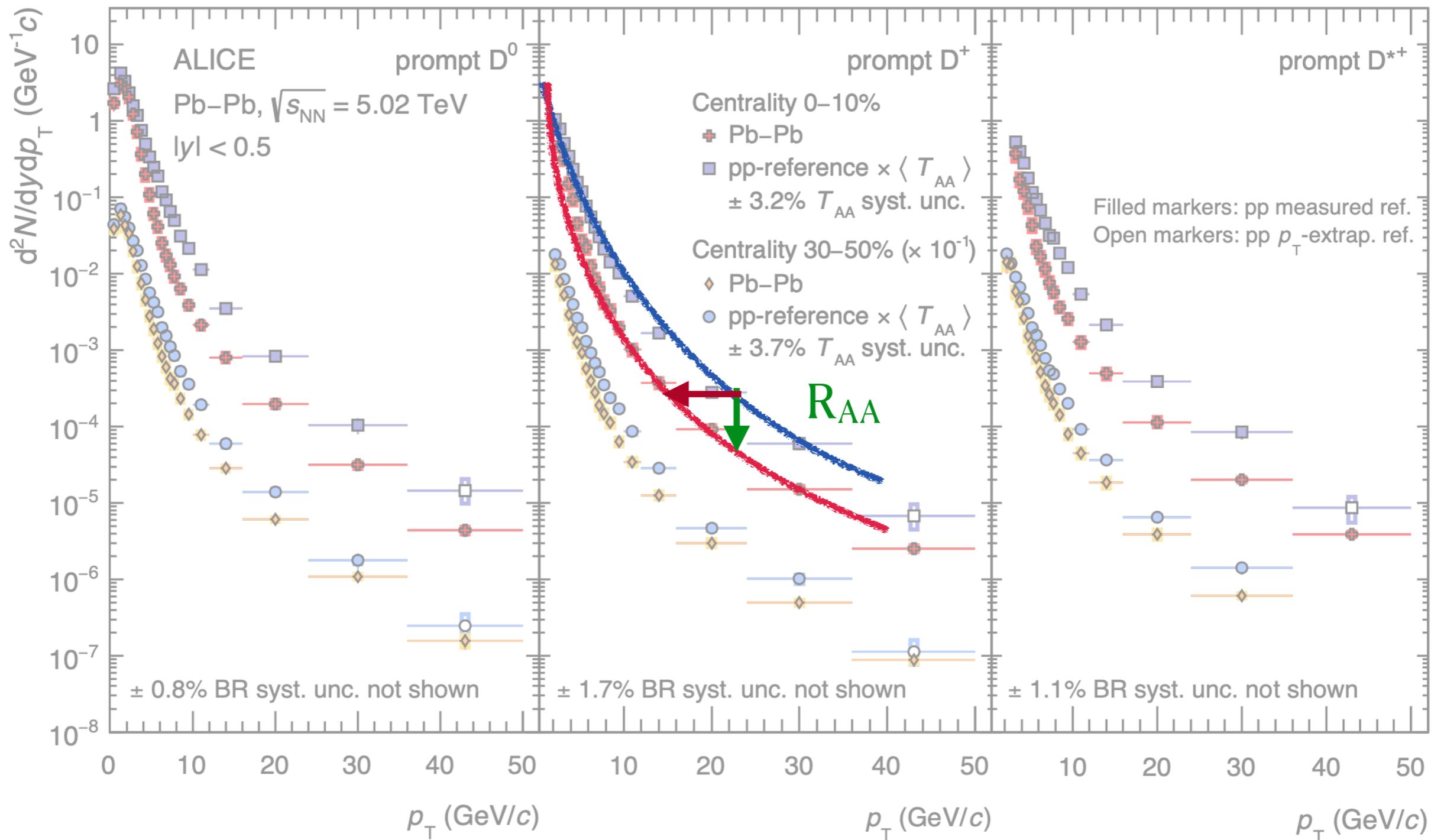


Direct photons $R_{AA} = 1$ validate binary collision scaling for hard processes

ALICE: JHEP 174 (2022)



ALICE: JHEP 174 (2022)

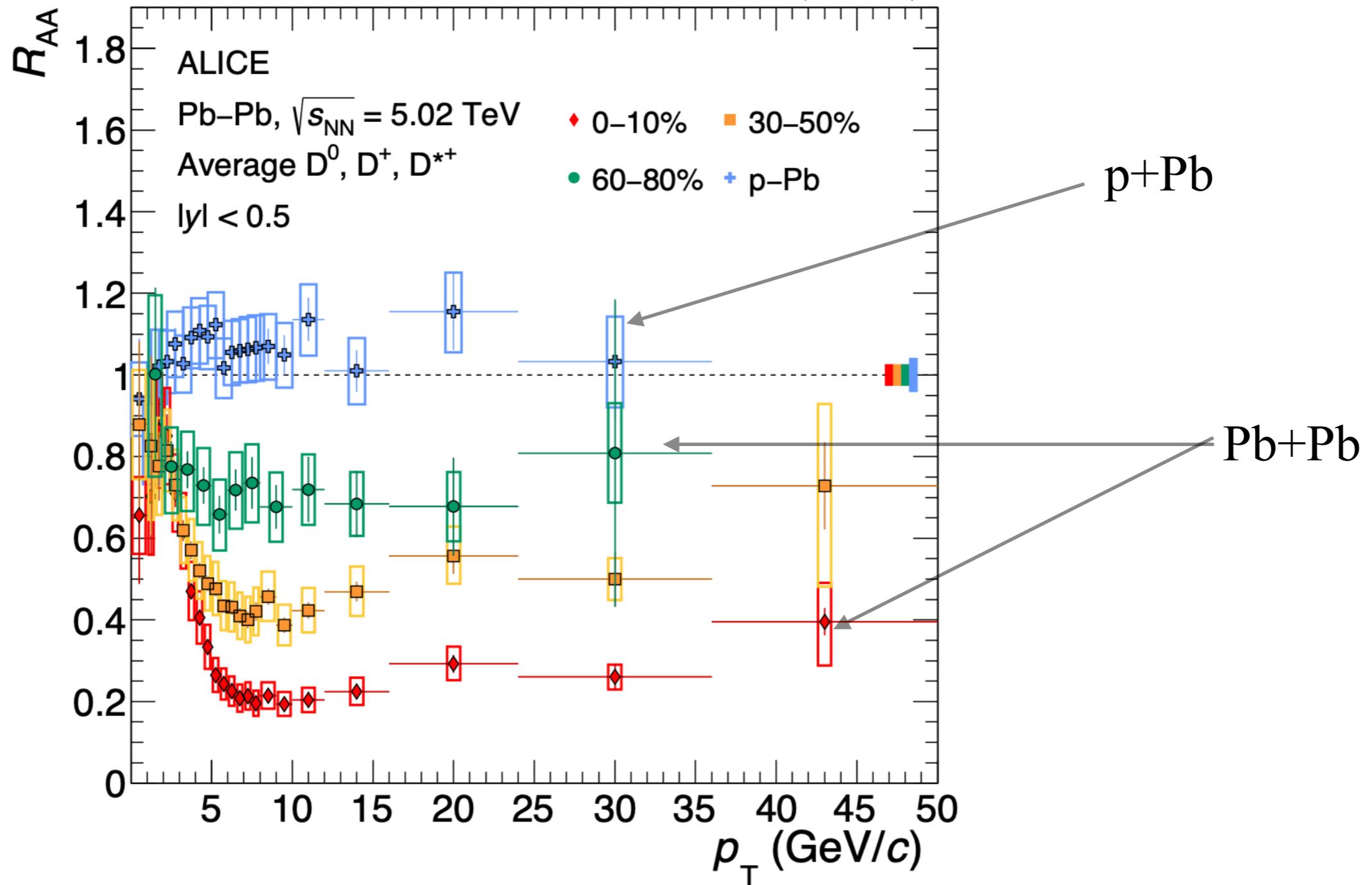


– Δp_T : the measure of Horizontal (p_T) shift

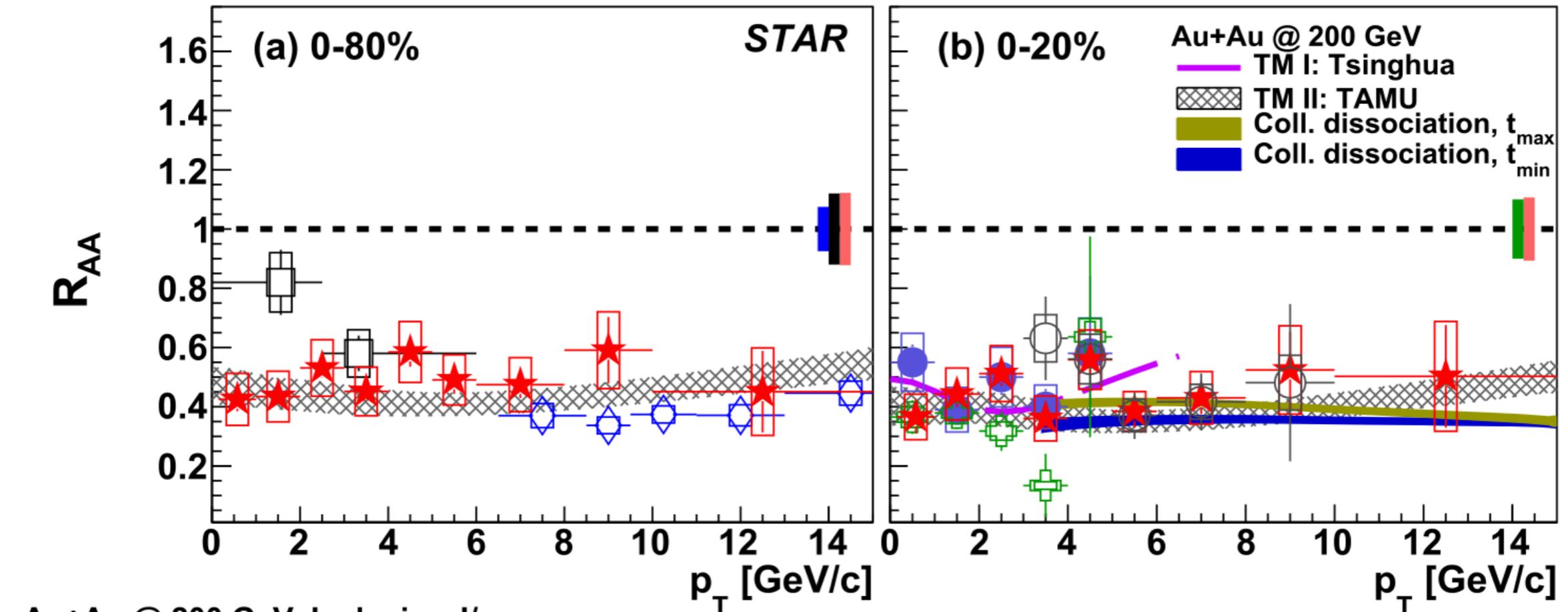
R_{AA} is the measure of vertical shift

Nuclear modification factor (R_{AA}) of D-mesons

ALICE: JHEP 174 (2022)

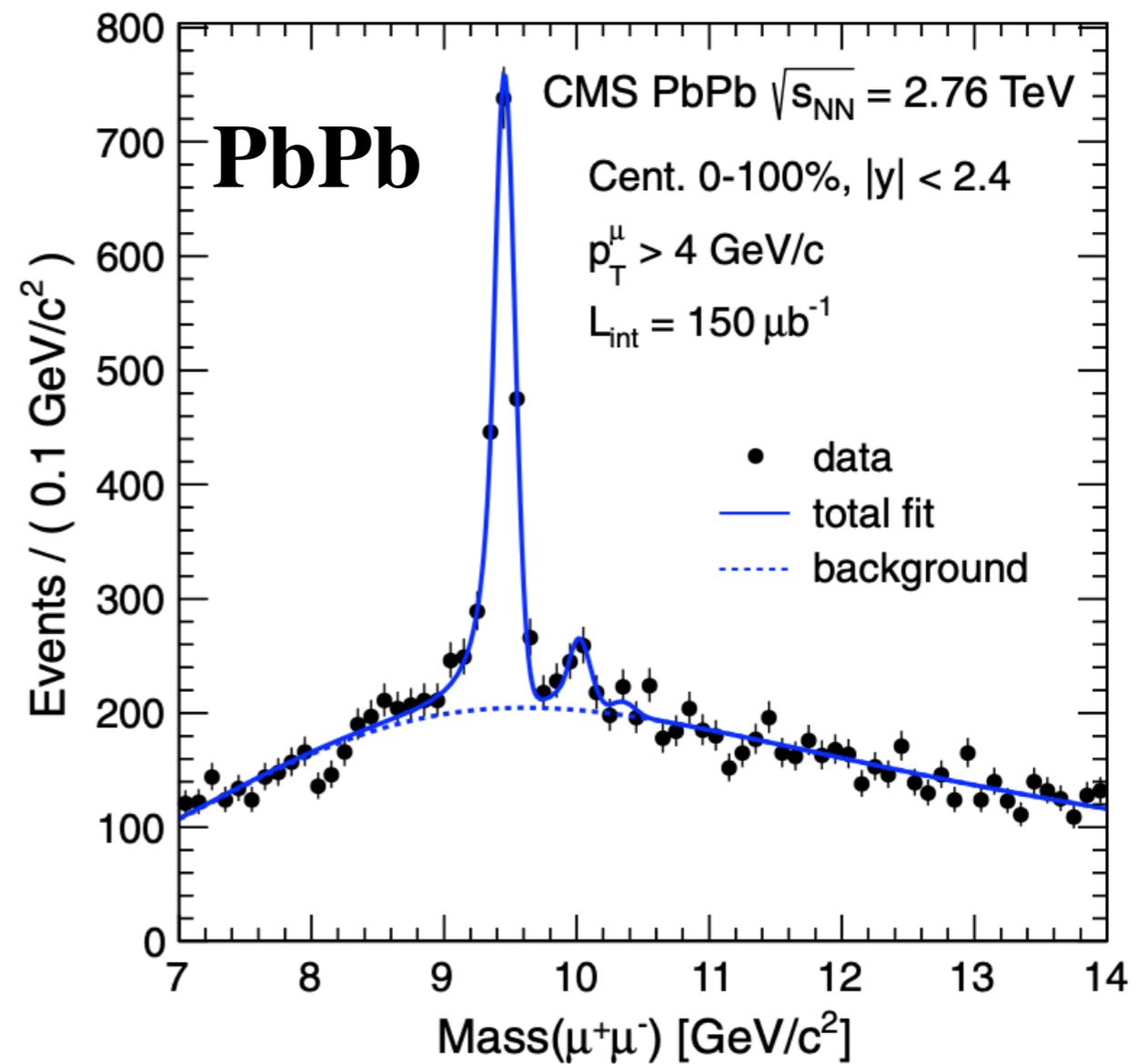
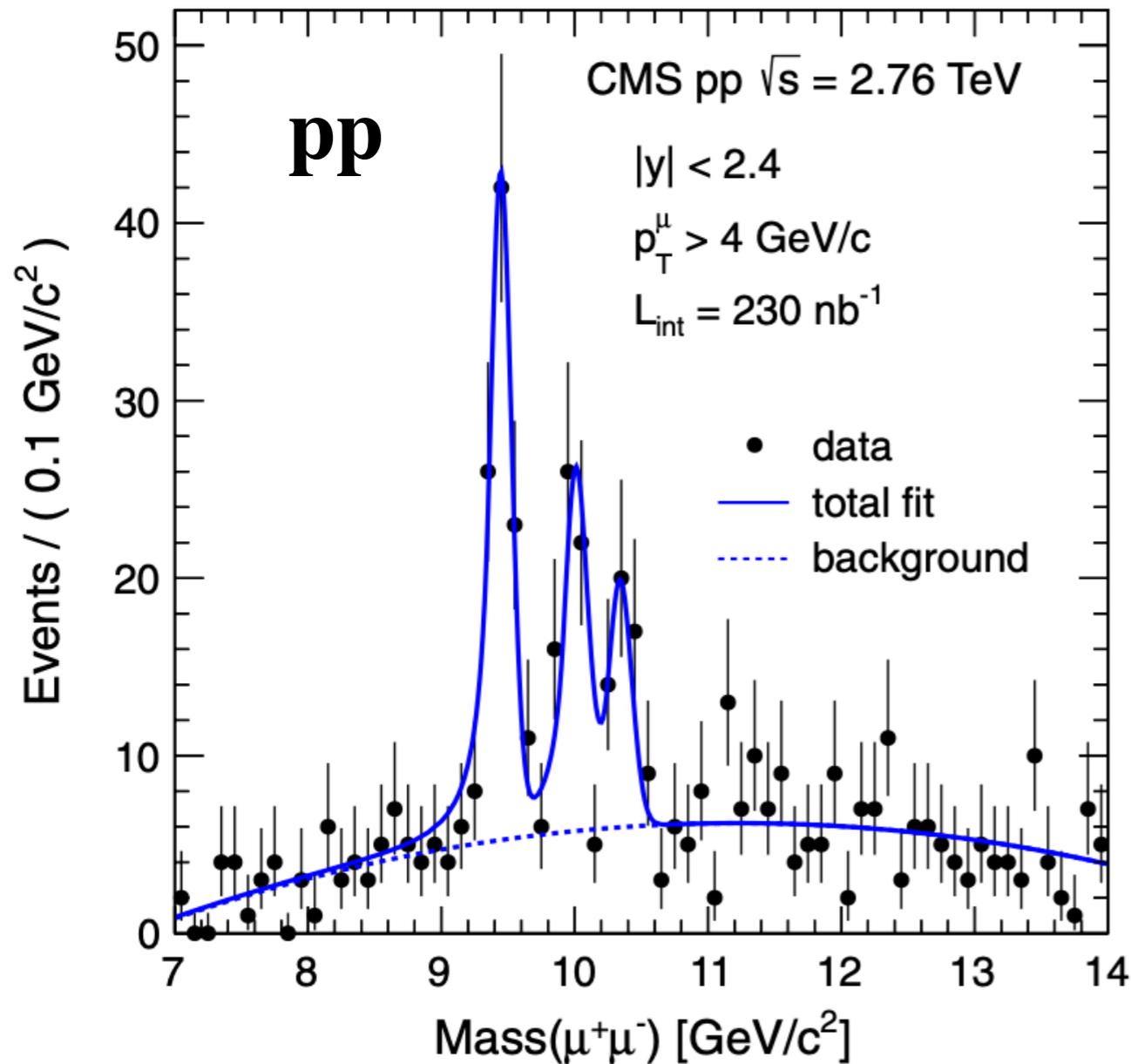


Nuclear modification factor (R_{AA}) of J/ψ in Au+Au



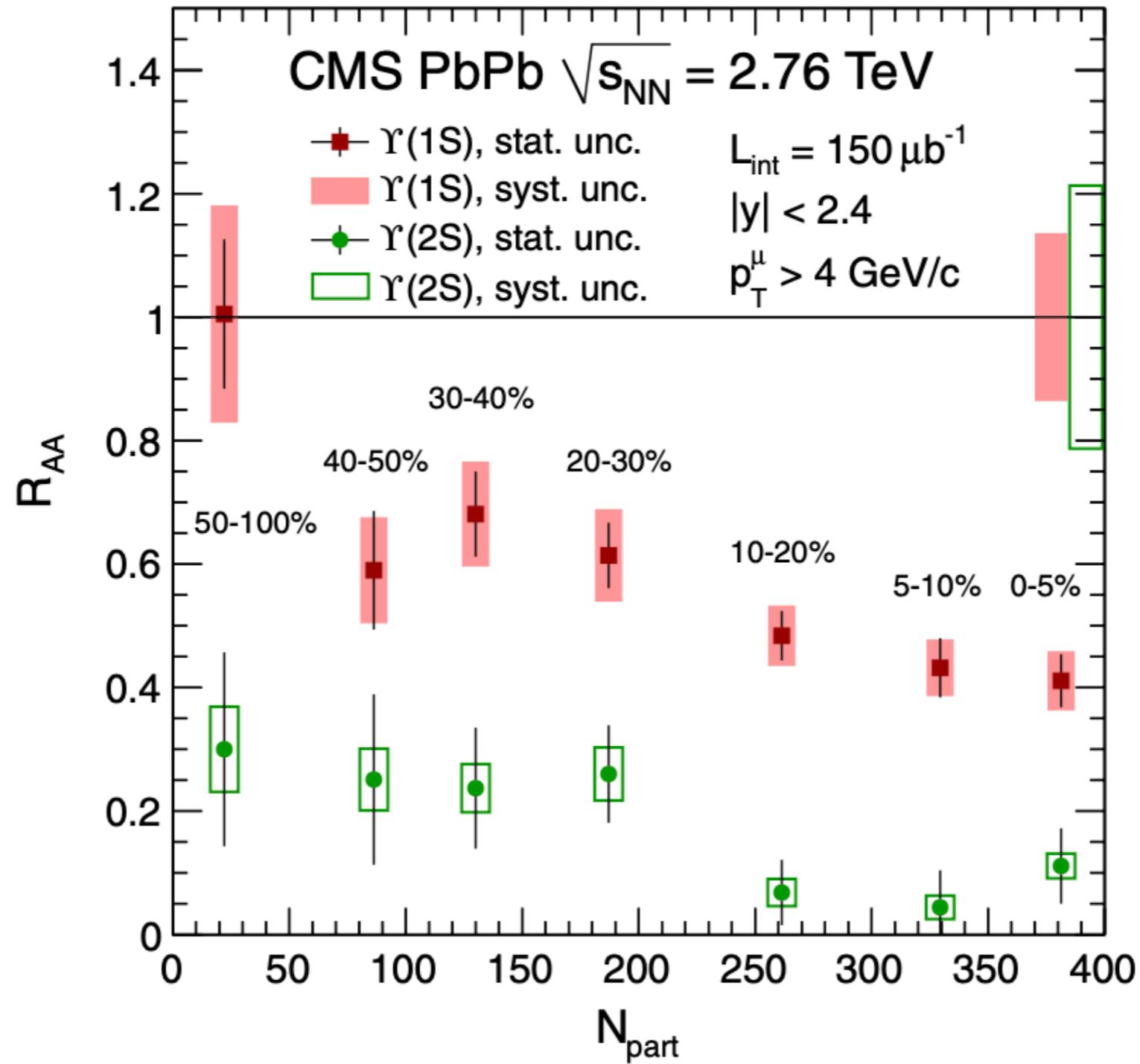
(Many important results from LHC experiments also)

Dimuon invariant mass distribution in pp and PbPb



$\Upsilon(1S, 2S, 3S)$ Suppression

Nuclear modification factor (R_{AA}) of $\Upsilon(1S,2S)$ in Pb+Pb



Double ratios

Sequential suppression in QGP

Double ratio: $\frac{(N_{\psi(2S)}/N_{J/\psi})_{AA}}{(N_{\psi(2S)}/N_{J/\psi})_{pp}} = 1$ no medium effect

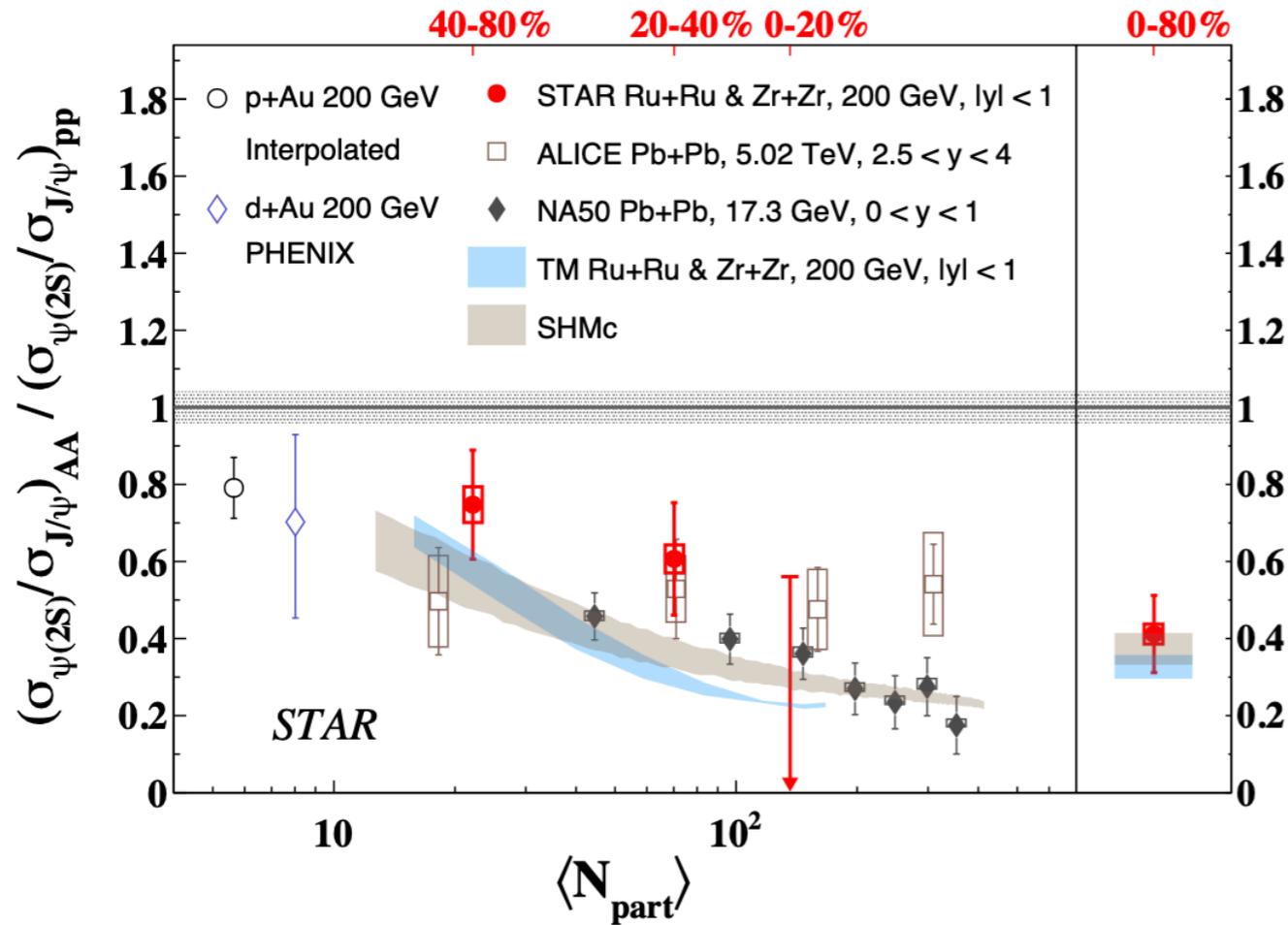
$$\frac{(N_{\psi(2S)}/N_{J/\psi})_{AA}}{(N_{\psi(2S)}/N_{J/\psi})_{pp}} < 1 \quad \text{medium effect}$$

- Relative yield of excited to ground state in A+A collisions and p+p collisions
- $\psi(2S)$ large radius and weakly bound \rightarrow melts easily than J/ψ
- additional suppression of $\psi(2S)$ relative to J/ψ in the QGP beyond the CNM effects

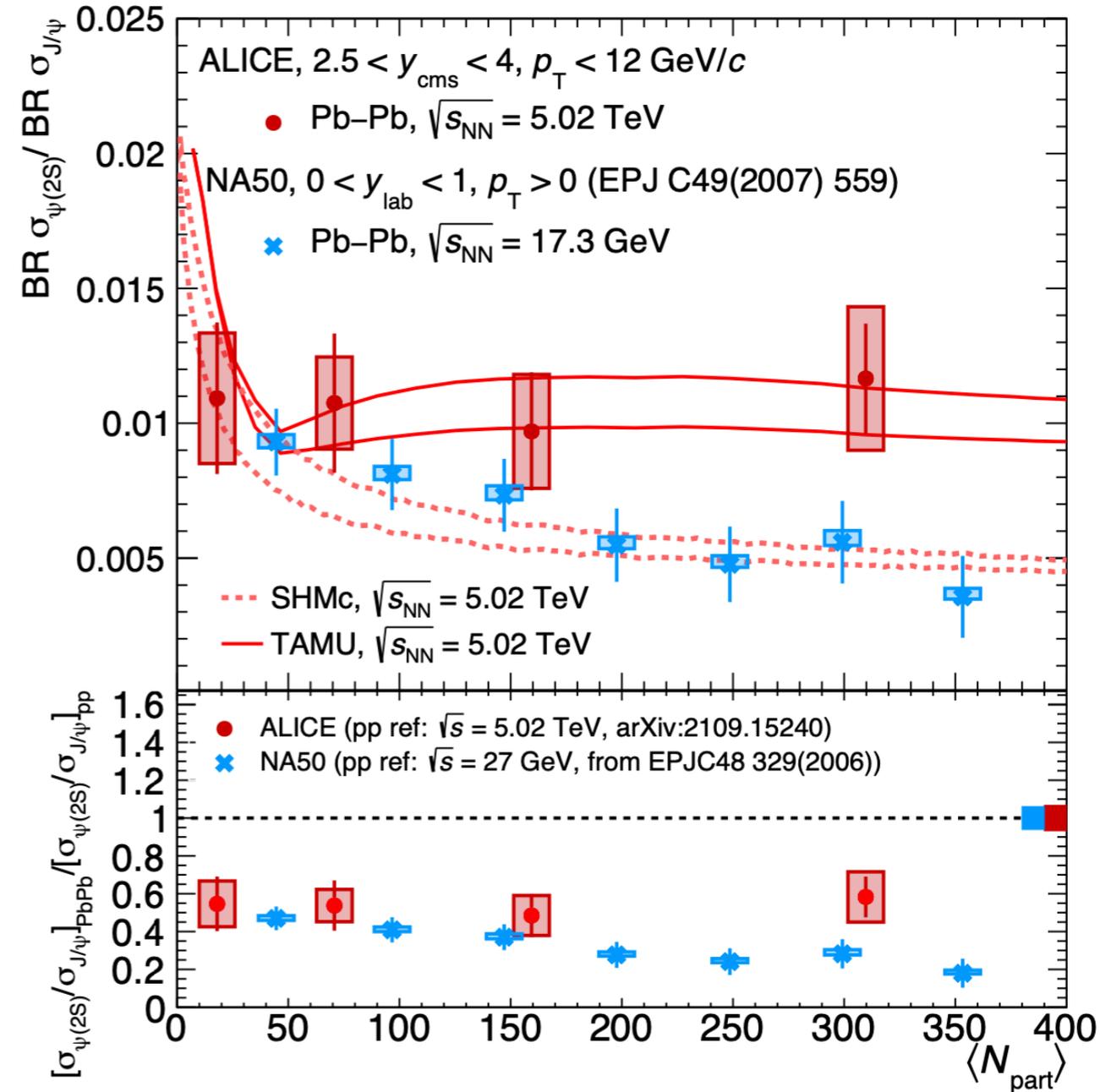
Sequential suppression in QGP

Double ratio: $\frac{(N_{\psi(2S)}/N_{J/\psi})_{AA}}{(N_{\psi(2S)}/N_{J/\psi})_{pp}} < 1$

STAR: arXiv: 2509.12842 [Accepted by PRL]



ALICE: PRL 132 (2024) 4, 042301



Different experiments

For secondary vertex reconstruction

Examples:

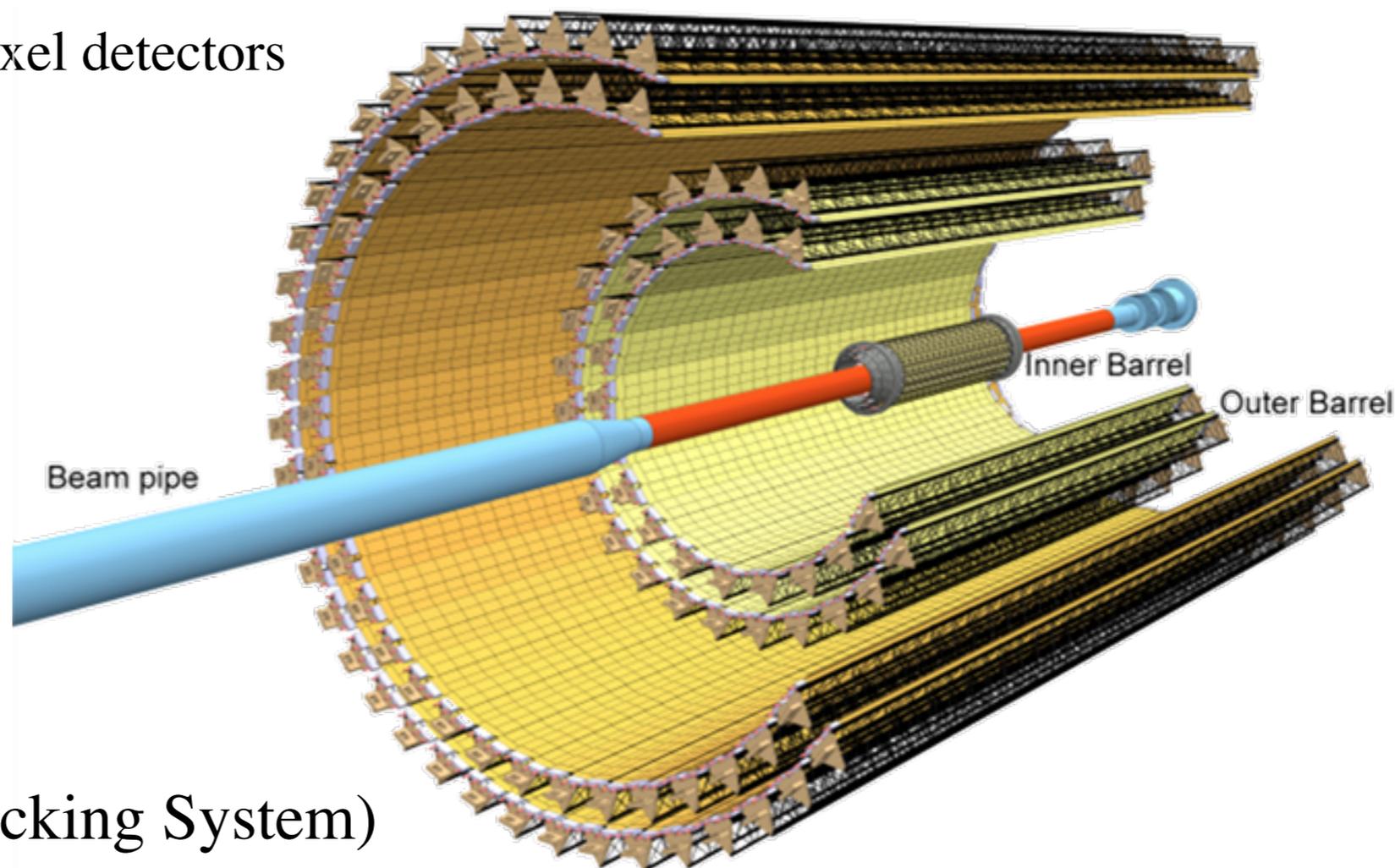
ALICE: ITS (Inner Tracking System)

STAR: HFT (Heavy Flavor Tracker)

CMS / ATLAS: Silicon pixel detectors

Particle Identification (PID)

Used to identify daughter particles.



ALICE: ITS (Inner Tracking System)

7 layers of silicon pixel detectors

Prof. B. Mohanty's talk will highlight recent measurements and physics ...

Thank you

Backup