## Physics of Kagome Metals

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Interplay of magnetism and topological superconductivity in bilayer kagome metals, PRL, 2020
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#### **Band Topology**



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**Competing Interactions** 





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A lot of insights into the novel physics of these systems over the last four decades



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**Concretely sets up the question of the present times :** 

What is the fate of interactions in partially filled topological band?



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**Concretely sets up the question of the present times :** 

What is the fate of interactions in partially filled topological band?

This generalizes the question of Fractional quantum hall effect to a much larger settings With more MANY more material contexts

Fractional Chern Insulators, Moire systems, topological flat bands.....





- Trivial Flat bands (isolated orbitals) can be isolated but are singular but interesting (SYK, Topological order....)
- Non-trivial flat bands cannot be isolated. They have band touchings without breaking symmetries



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**Question for the talk :** 

What is the effect of electron-electron interactions in a partially filled Chern band ?

A quick answer : Natural instabilities are different from that of a trivial band

## The material Motivation : Many Kagome Metals

This Talk : Bilayer kagome intermetallics  $M_3Sn_2$  M = 3d Transition metal

Our Interest :  $Fe_3Sn_2$ 



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Both (antiferro)magnetic interactions as well as electron hopping can be frustrated in the Kagome geometry.



Minimal one orbital hopping model with short range hopping and interlayer hybridization



Minimal one orbital hopping model with short range hopping and interlayer hybridization



Minimal one orbital hopping model with short range hopping and interlayer hybridization



Effect of short range interactions :

$$H_{Int} = U \sum_{i} n_i (n_i - 1) + \sum_{ij} V_{ij} n_i n_j$$

Drives (almost) Flat-band ferromagnetism (Seen in experiments for bulk materials)

Minimal one orbital hopping model with short range hopping and interlayer hybridization



HF spin-polarised Band structure

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#### HF spin-polarised Band structure : The Chern Metal





#### HF spin-polarised Band structure : The Chern Metal



Partially filled Chen Band (Almost flat) : Chern metal

Question : What is the fate of the left over e-e interactions in the Chern band ?

$$H_{Int}^{eff} = \mathscr{P} \left[ \sum_{ij} V_{ij} n_i n_j \right] \mathscr{P}$$





## **Fractional Chern Insulator**

#### K-space ED of the projected Hamiltonian

$$H_{\text{int}} = \mathcal{P} \sum_{k_1, k_2, k_3, k_4} V_{k_1, k_2, k_3, k_4}^{\alpha_1, \alpha_2, \alpha_3, \alpha_4} c_{k_1, \alpha_1}^{\dagger} c_{k_2, \alpha_2}^{\dagger} c_{k_3, \alpha_3} c_{k_4, \alpha_4} \mathcal{P} .$$

#### 1/5-Laughlin state in the **STRONG** interlayer hybridized limit



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#### 1/5-Laughlin state in the **STRONG** interlayer hybridized limit



## **Fractional Chern Insulator**

#### K-space ED of the projected Hamiltonian

$$H_{\text{int}} = \mathcal{P} \sum_{k_1, k_2, k_3, k_4} V^{\alpha_1, \alpha_2, \alpha_3, \alpha_4}_{k_1, k_2, k_3, k_4} c^{\dagger}_{k_1, \alpha_1} c^{\dagger}_{k_2, \alpha_2} c_{k_3, \alpha_3} c_{k_4, \alpha_4} \mathcal{P} .$$

#### 1/3-Laughlin state in the WEAK interlayer hybridized limit









- Chern metal :
  - $f \rightarrow$  Chern band,  $\langle b \rangle \neq 0$  (condensed, Superfluid)
- Chiral Flavour Liquid :
  - $f \rightarrow$  Chern band,  $\langle b \rangle = 0$  (Trivial Mott Insulator)

## Recasting of the Fractional Chern Insulator in terms of the partons



- The Fractional Chern Insulator :
  - $f \rightarrow$  Chern band,  $b \rightarrow$  Bosonic Integer Hall Phase
  - The Effective filling of the Chern band is changed by the flux of the emergent U(1) gauge field.

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- The Fractional Chern Insulator :
  - $f \rightarrow$  Chern band,  $b \rightarrow$  Bosonic Integer Hall Phase
  - The Effective filling of the Chern band is changed by the flux of the emergent U(1) gauge field.
- The Transition between the FCI and the Chiral Flavour liquid is a BIQH plateau transition



- The chern metal is the parent of many novel phases
- A good place to look for such exotic phase and transitions is Kagome metals

